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GRASIAN: Towards the first demonstration of gravitational quantum states of atoms

25.09.2025

Carina Killian on behalf of the GRASIAN collaboration



SSP 2025

ETH zürich

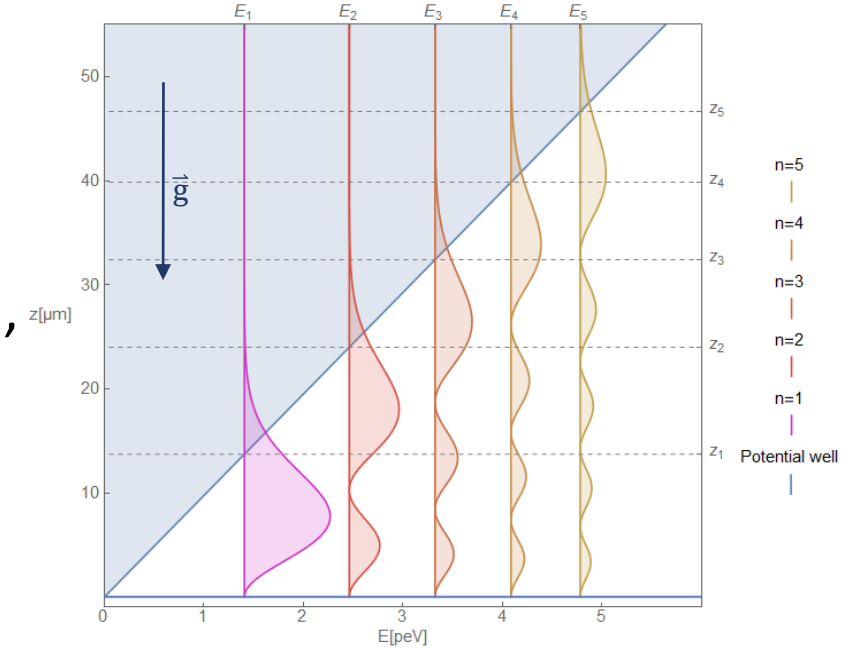
Gravitational quantum states (GQS)

- Gravitational potential well \leftrightarrow

Gravity potential + Perfectly reflecting surface

- 2002: First demonstration of GQS with ultra cold neutrons [1], so far no measurements with neutral atoms.
- GQS of hydrogen
 - Macroscopic spatial heights $z_n \sim \mu\text{m}$
 - Eigenenergies $E_n \sim \text{peV}$

\rightarrow Heisenberg's uncertainty: $\Delta t \Delta E \geq \frac{\hbar}{2} \rightarrow \Delta t \gtrsim 0.5 \text{ ms}$



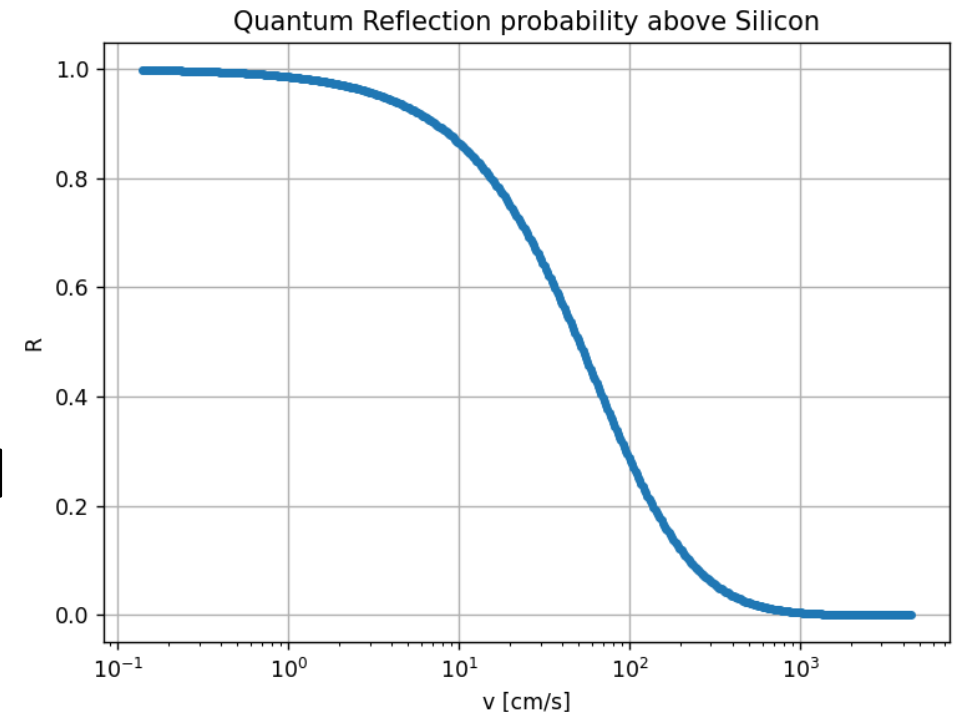
n	E_n [peV]	z_n [μm]
1	1.4	13.8
2	2.5	24.0
3	3.3	32.4
4	4.1	39.9
5	4.8	46.6

Eigenenergies and spatial heights of the first 5 GQS of hydrogen with $m_H = 1.6735575 \times 10^{-27} \text{ kg}$, $g = 9.81 \text{ m/s}^2$, $V_{\text{mirr}} = \delta(z)$

[1] V. Nesvizhevsky et al., Quantum states of neutrons in the Earth's gravitational field. *Nature* **415**, 297–299 (2002). <https://doi.org/10.1038/415297a>

Quantum Reflection (QR)

- Purley quantum mechanical phenomenon
- Low energy atoms are reflected from attractive Casimir-Polder potential
- Observed for H atoms over liquid He-surface in 1993 [2]
- H above silicon (Si) surface: QR probability > 90 % for $v_{\perp} < 7$ cm/s above Si surface [3]
 - Never measured before!



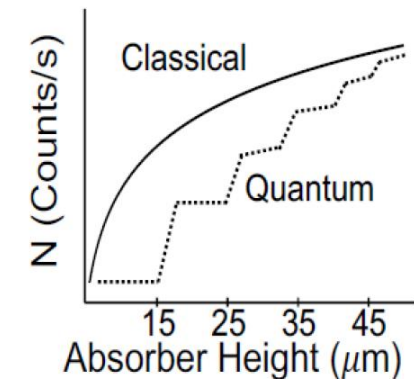
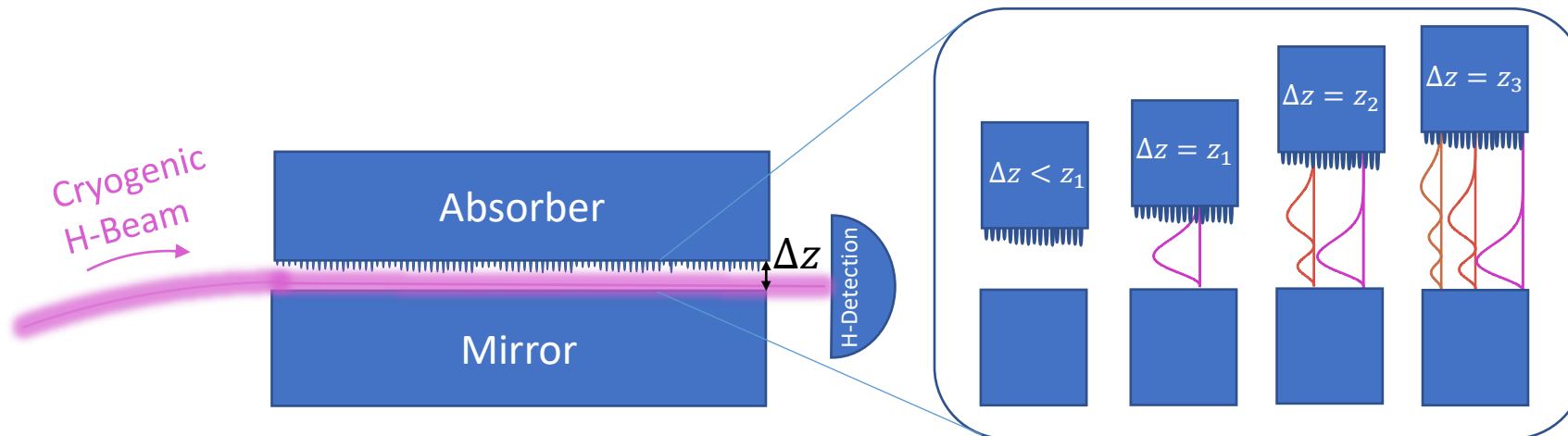
Quantum reflection probability R for antihydrogen as a function of velocity perpendicular to the surface v for silicon. Provided by Serge Reynaud 2025.

[2] Ite A. Yu, John M. Doyle, Jon C. Sandberg, Claudio L. Cesar, Daniel Kleppner, and Thomas J. Greytak. Evidence for universal quantum reflection of hydrogen from liquid 4He . *Phys. Rev. Lett.*, 71:1589–1592, Sep 1993.

[3] Crépin, P.-P. and Kupriyanova *et al.* Quantum reflection of antihydrogen from a liquid helium film. *EPL* **119**, 1286-4854 (2017). <http://dx.doi.org/10.1209/0295-5075/119/33001>

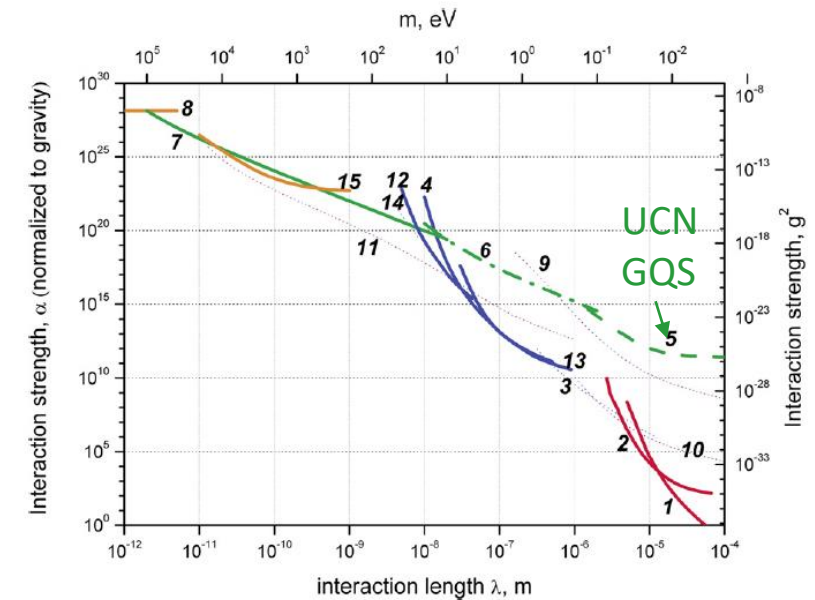
Measurement principle

- GQS spectrometer: Si mirror and absorber separated by a slit (Δz)
- Variation of the slit width Δz
- Measurement of the hydrogen count rate N as a function of Δz
- When stepwise increase of N is measured \rightarrow **Demonstration of GQS**



Motivation

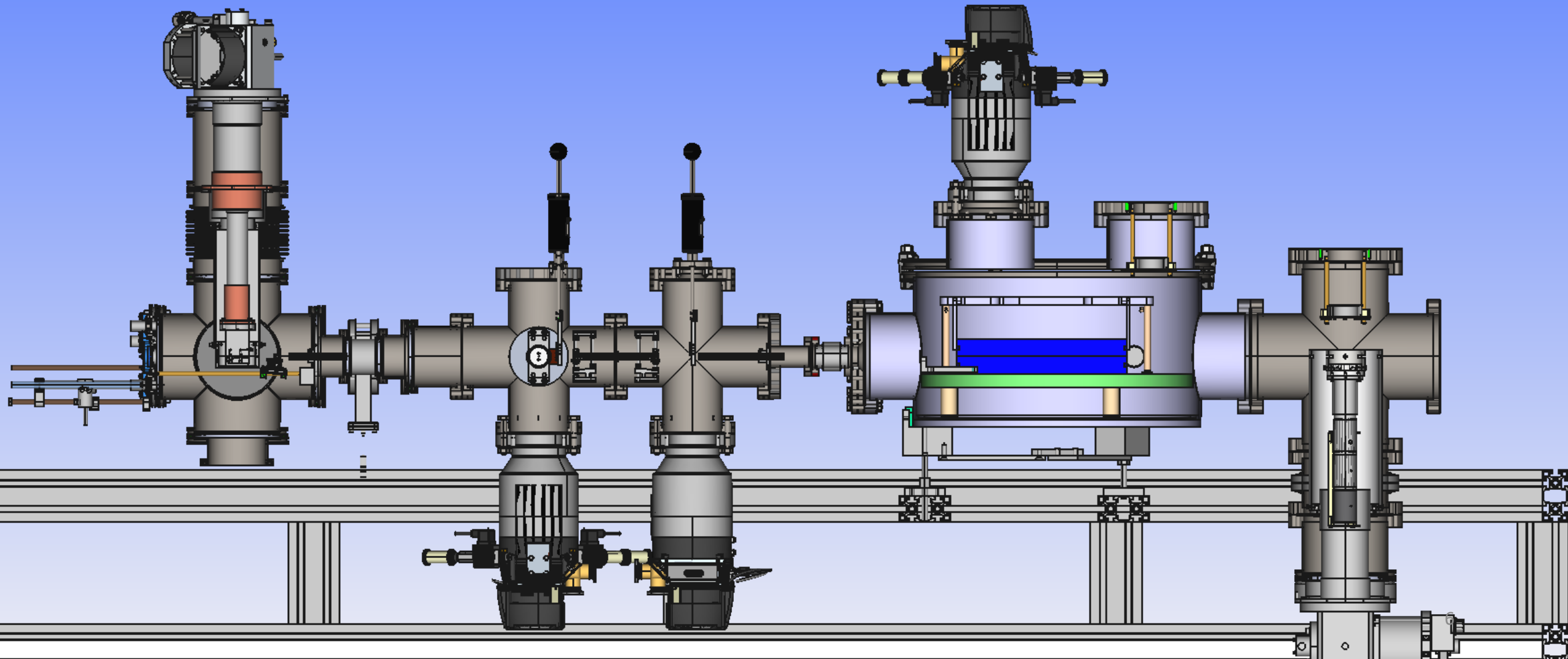
- Measurement of GQS sensitive to hypothetical short-range forces
- Higher densities
- Easy to generate (hydrogen bottle vs. research reactor)
- GQS never measured for atoms!
- Developed methods also applicable for antiatoms ($\rightarrow \bar{g}$)



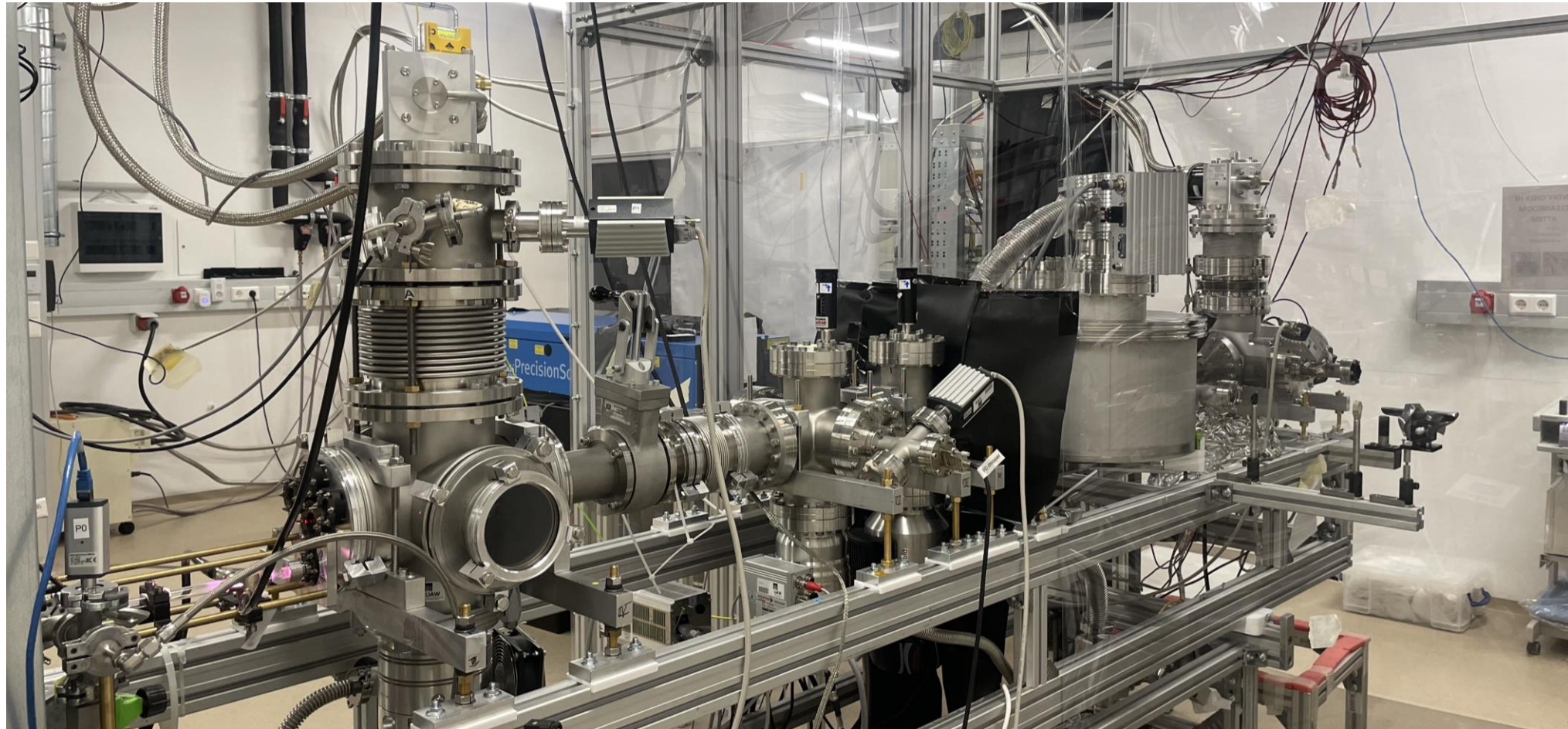
Exclusion plot for new spin-independent interactions [4]

- 1,2: short-range gravity in torsion balance
- 4,12,13: Extra forces on top of Casimir and v.d.W interactions
- 5: neutron Gravitational Quantum States (GQS)
- 6: neutron whispering gallery effects
- 7: neutron scattering on nuclei
- 8: precision measurements of exotic atoms
- 15: low mass bosons from the sun in a high-purity germanium detector

Hydrogen beam – experimental setup



Hydrogen beam – experimental setup



Requirements for a GQS measurement

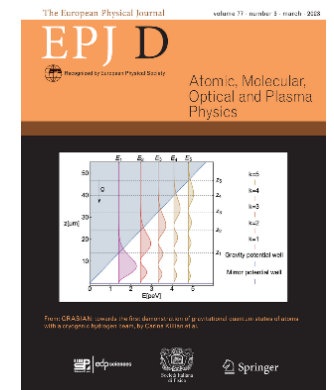
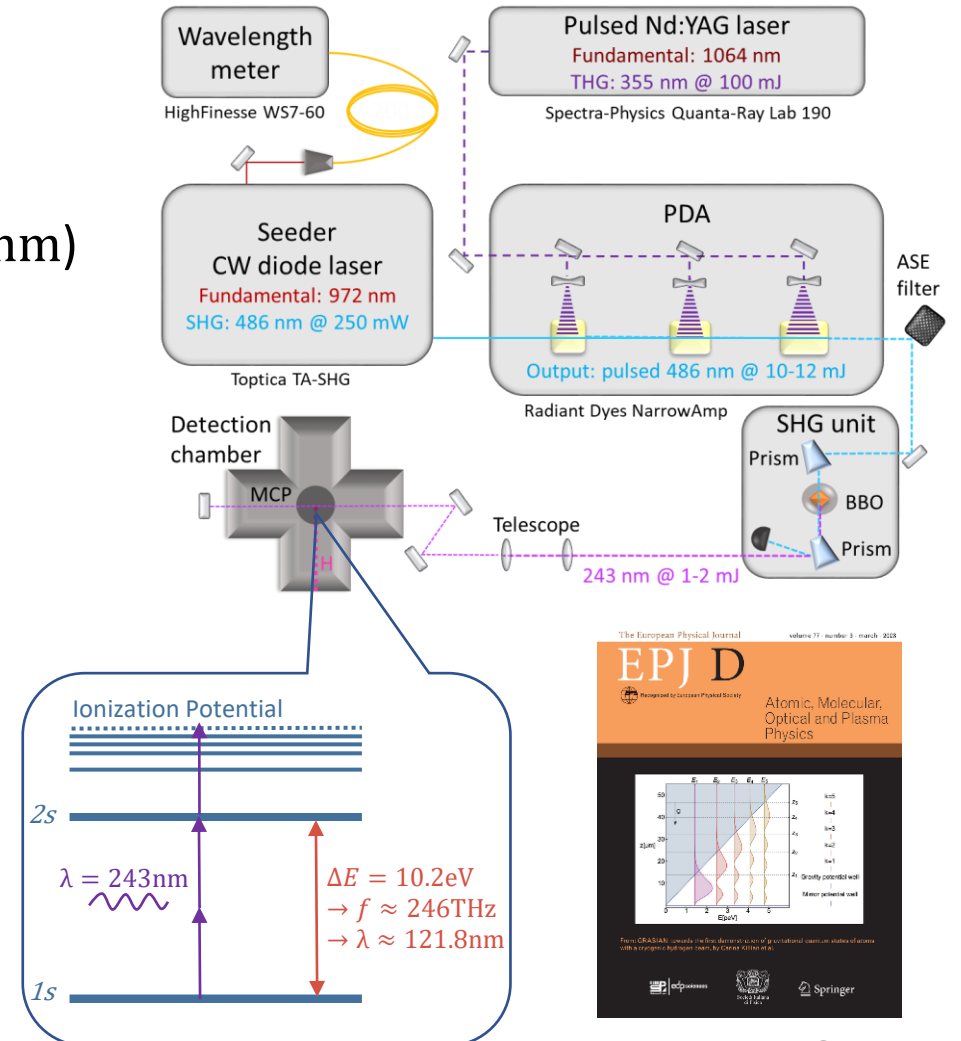
Requirements for a GQS measurement

1. Efficient detection of hydrogen

Requirements for a GQS measurement

1. Efficient detection of hydrogen ✓

- Photoionization of H with a pulsed UV-Laser ($\lambda = 243 \text{ nm}$)
 - 2 photon excitation ($1S-2S$) + 1 photon ionization
 - Laser system described in [5]
- Detection of H^+ with an MCP
- Integrated MCP-Signal $\propto H$ - count rate
- Ionization efficiency $\varepsilon \approx 100\%$



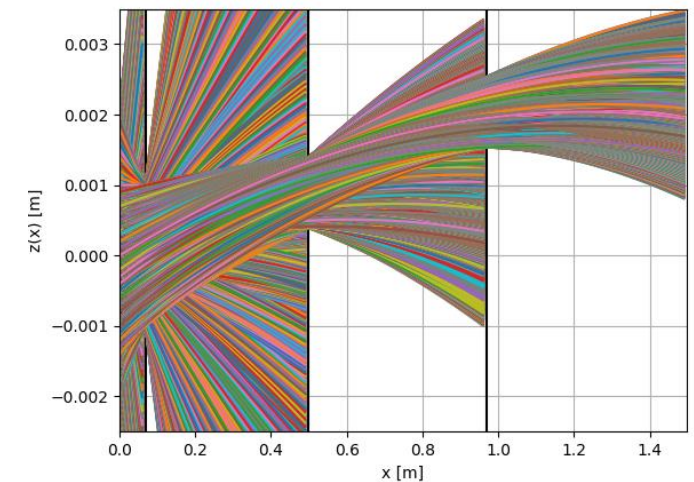
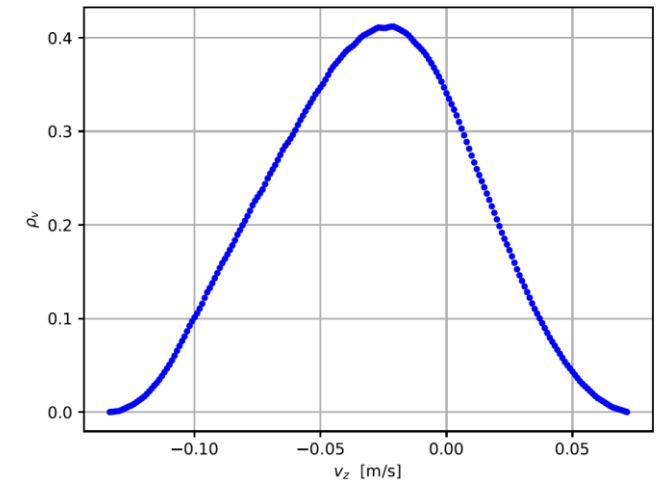
[5] Killian, C. et al. GRASIAN: towards the first demonstration of gravitational quantum states of atoms with a cryogenic hydrogen beam. Eur. Phys. J. D 77, 50 (2023). <https://doi.org/10.1140/epjd/s10053-023-00634-4>

Requirements for a GQS measurement

1. Efficient detection of hydrogen ✓
2. Very low vertical velocity components

Requirements for a GQS measurement

1. Efficient detection of hydrogen ✓
2. Very low vertical velocity components ✓
 - Quantum reflection probability $> 90\%$ for $|v_z| < 7$ cm/s [3]
 - Trajectory selection with vertical adjustable slits (0.5 mm)

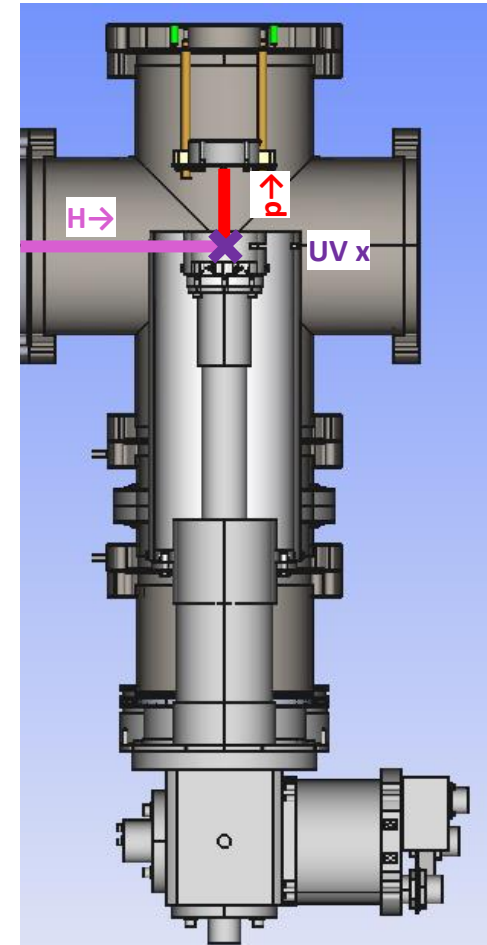


Requirements for a GQS measurement

1. Efficient detection of hydrogen ✓
2. Very low vertical velocity components ✓
3. Low background

Requirements for a GQS measurement

1. Efficient detection of hydrogen ✓
2. Very low vertical velocity components ✓
3. Low background ✓
 - Cryopumped detection chamber
 - 9K Heatshield around ionization area
 - BG reduced by > 1 order of magnitude

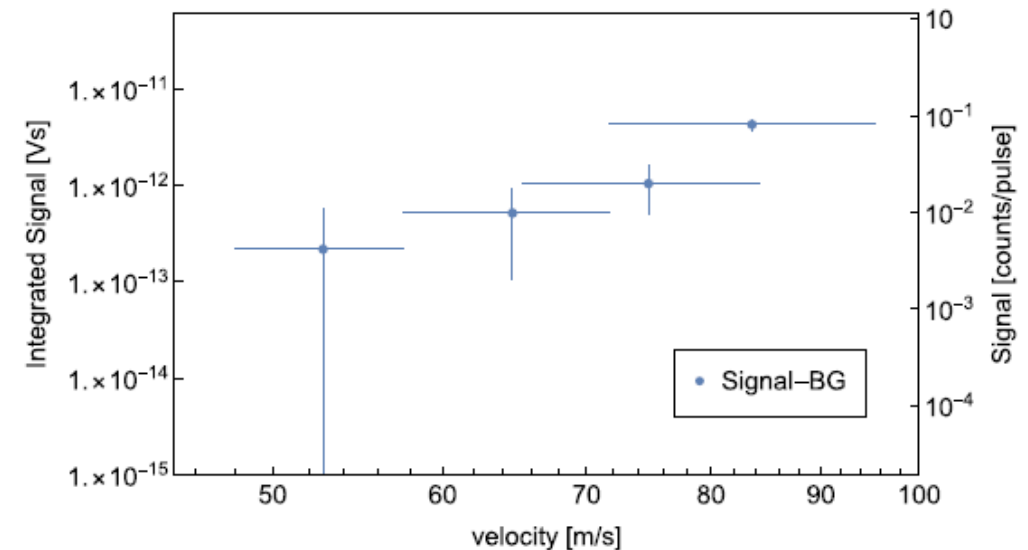


Requirements for a GQS measurement

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2. Very low vertical velocity components ✓
3. Low background ✓
4. Low horizontal velocities

Requirements for a GQS measurement

1. Efficient detection of hydrogen ✓
2. Very low vertical velocity components ✓
3. Low background ✓
4. Low horizontal velocities ✓
 - Time of flight measurements
 - Slowest resolvable velocity $v \in [58, 72]$ m/s



Requirements for GQS measurement

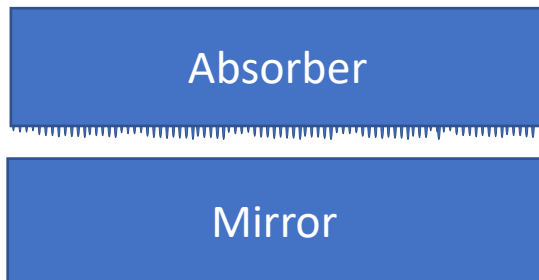
1. Efficient detection of hydrogen ✓
2. Very low vertical velocity components ✓
3. Low background ✓
4. Low horizontal velocities ✓

→ Requirements fulfilled

→ Next step: insert GQS spectrometer

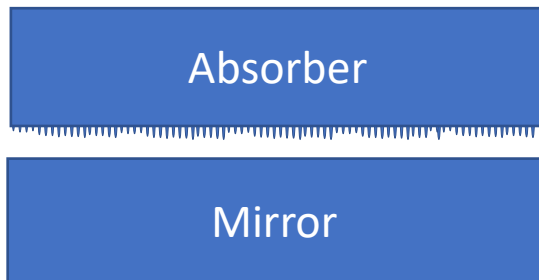
Installation of GQS spectrometer

- Silicon Mirror + Absorber separated by 200 μm spacers were inserted
- Horizontal alignment of the experimental chamber 0.10 ± 0.16 mrad



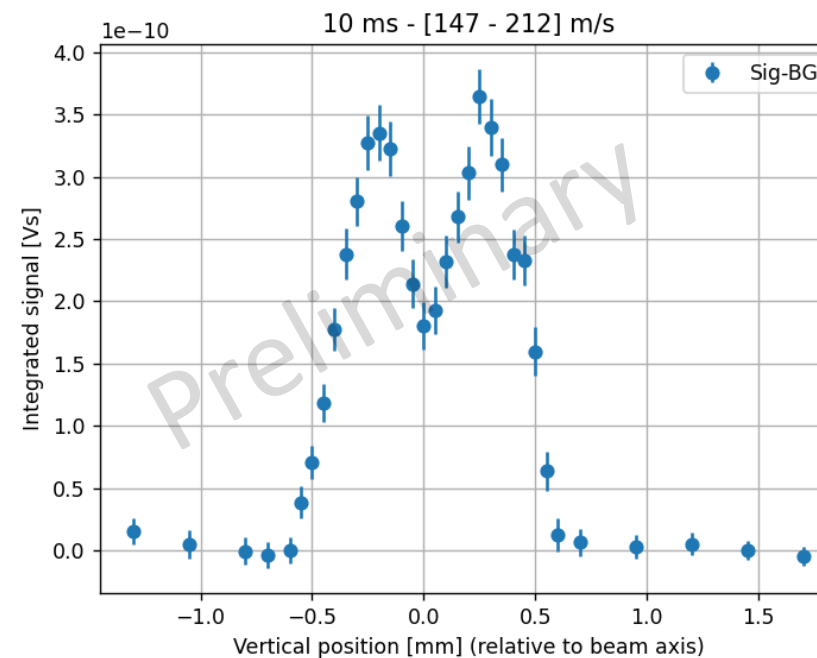
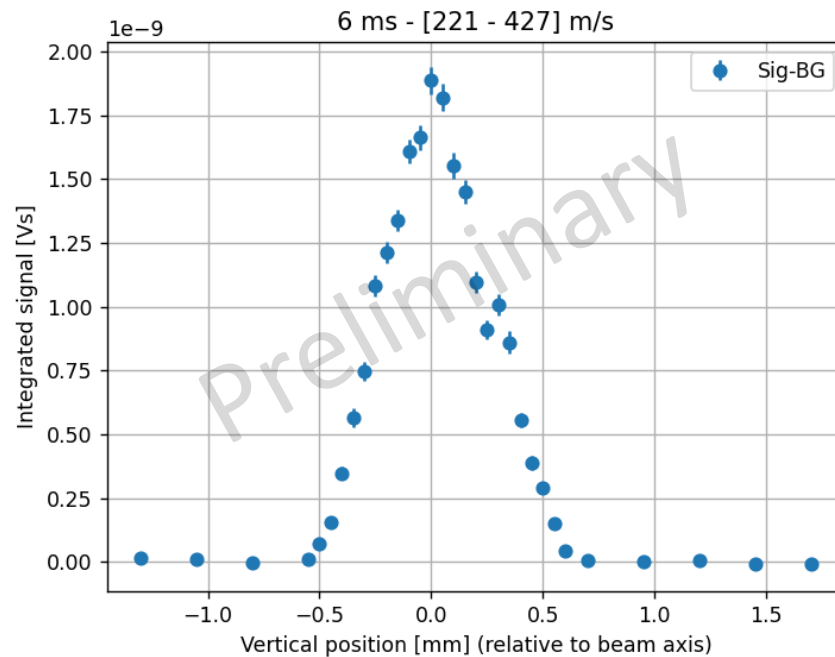
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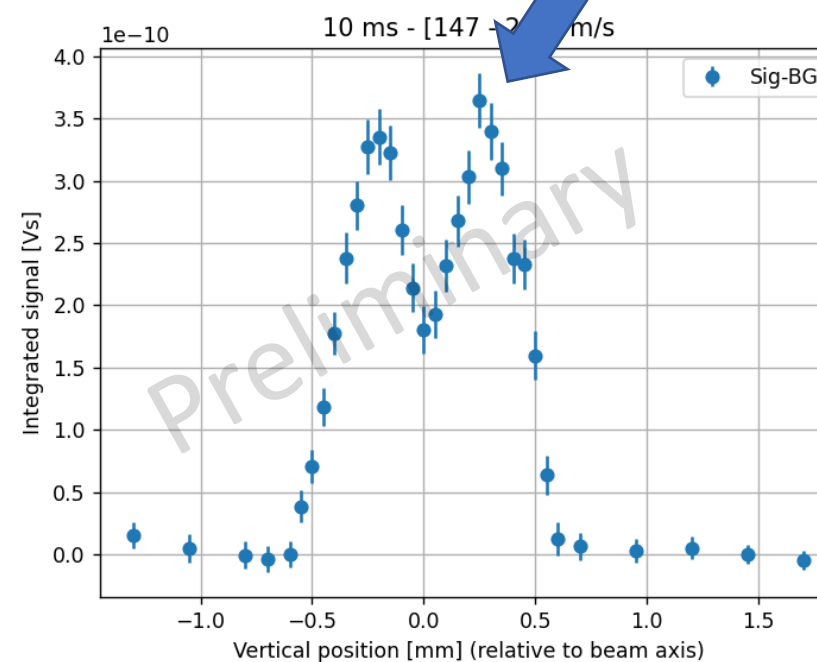
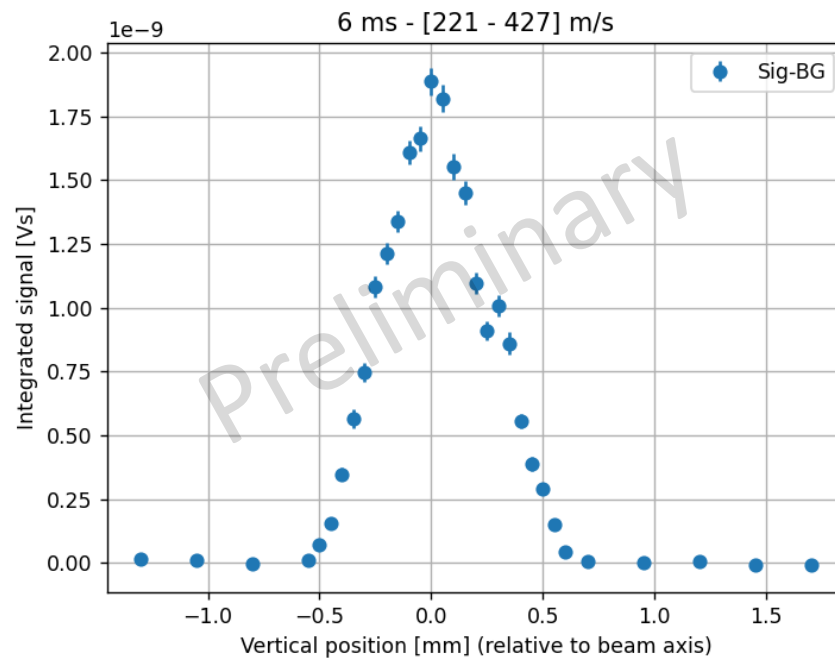
First measurements with 200 μm mirror-absorber separation

- Recorded vertical profiles for different velocity intervals
- A second peak appears above the beam axis for lower velocities



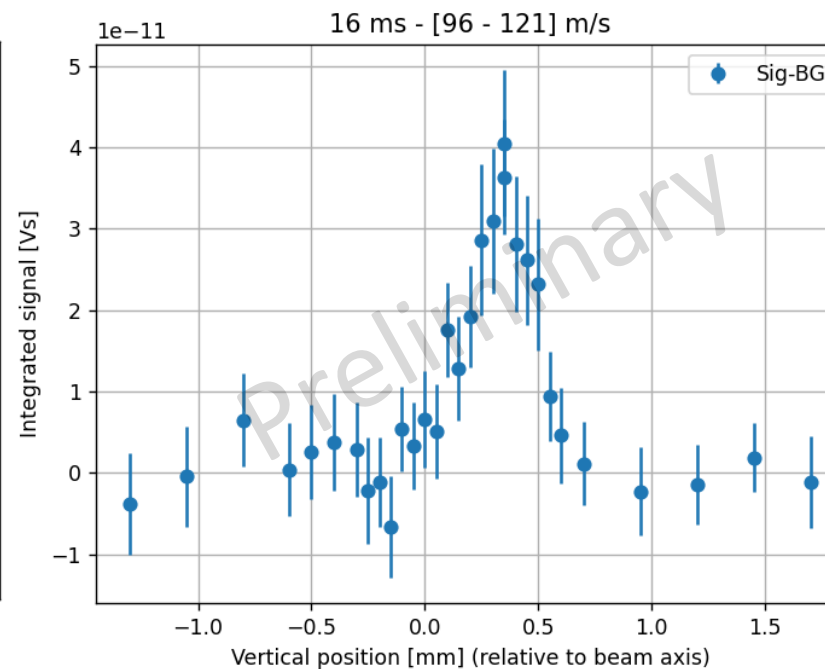
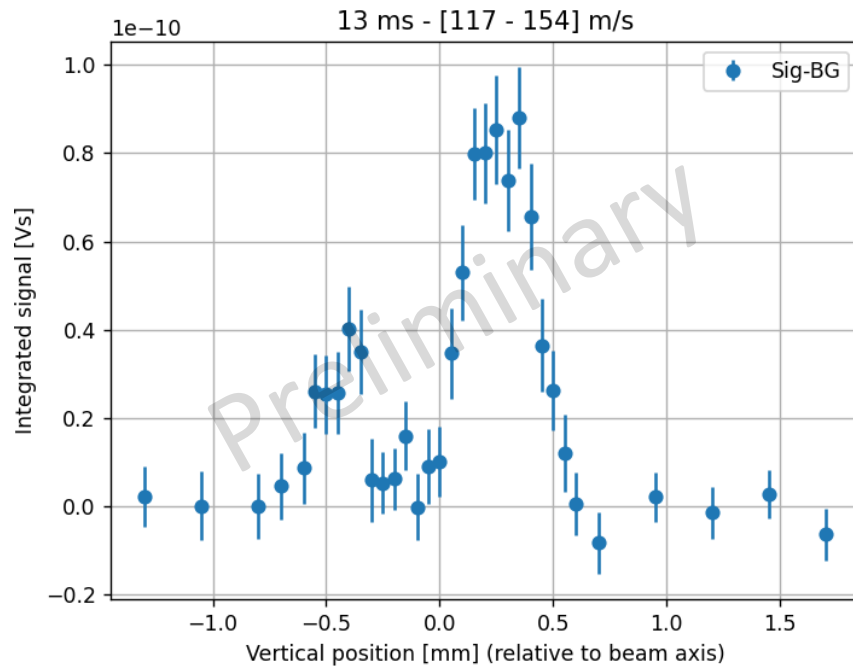
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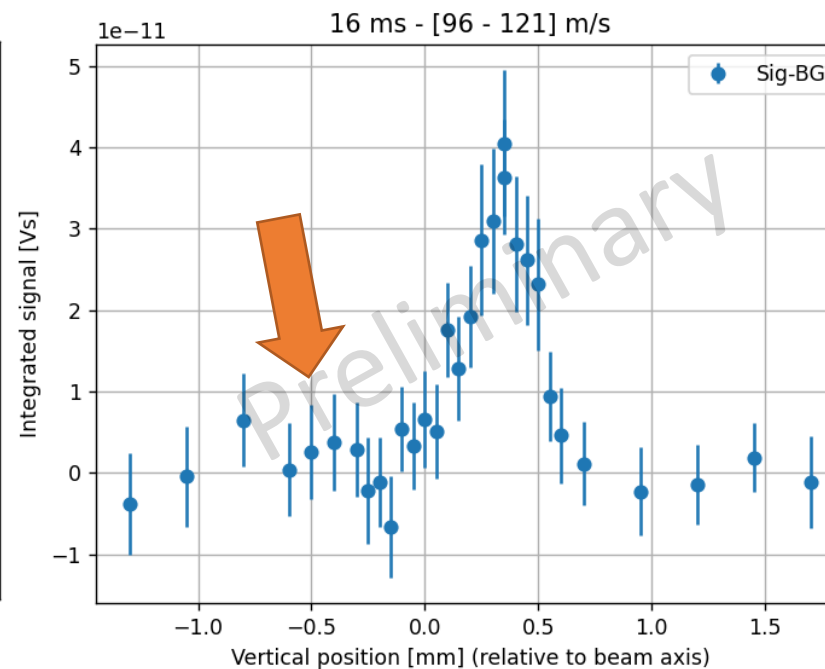
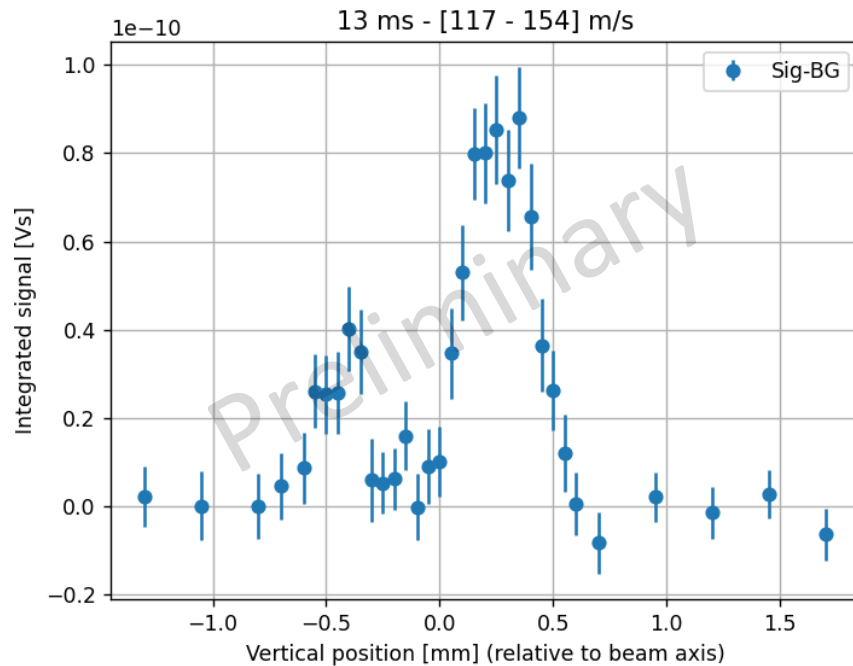
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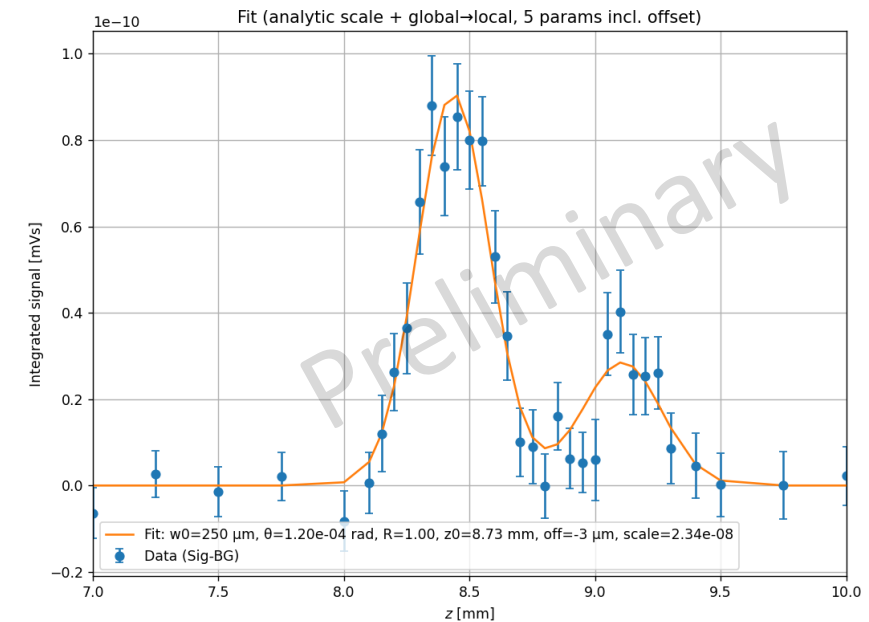
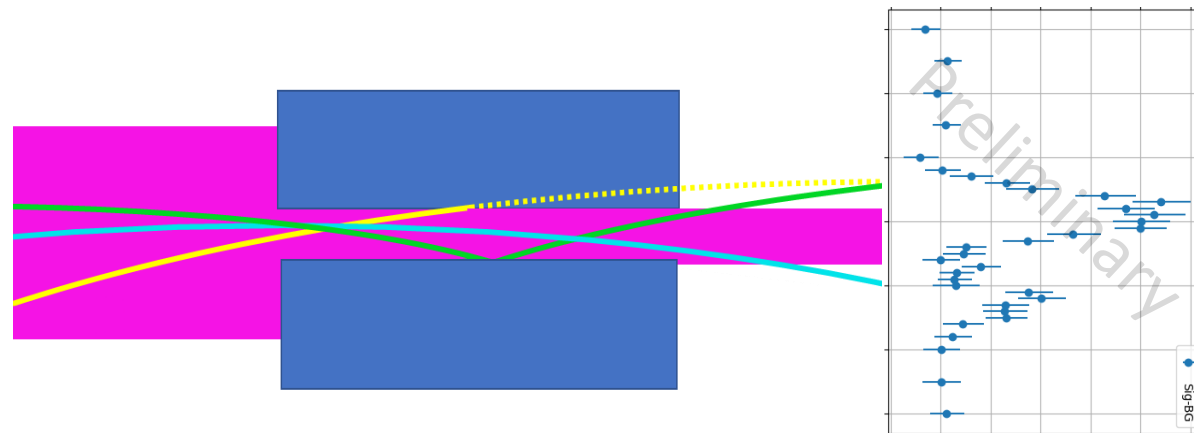


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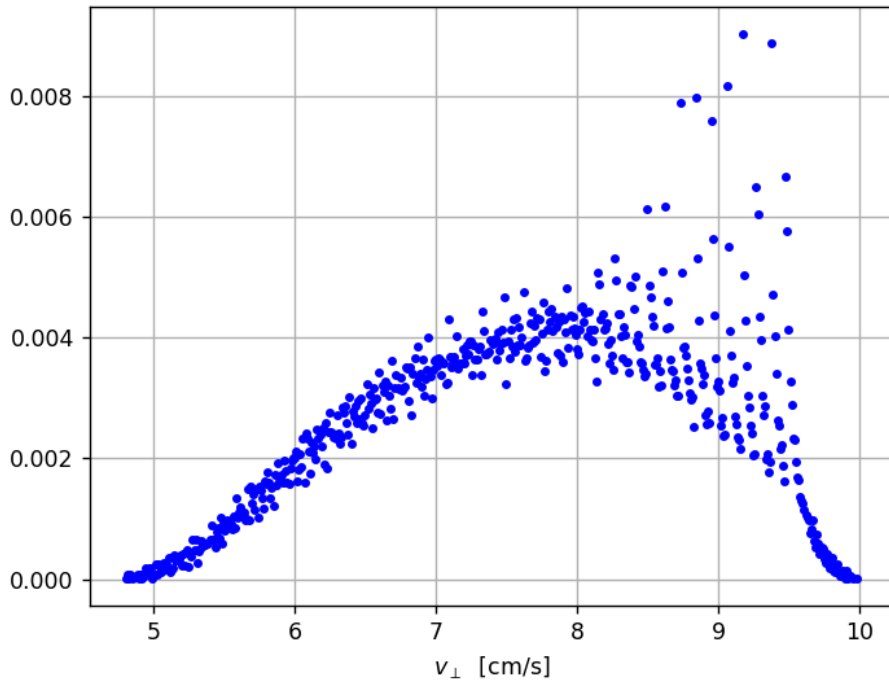
First indication of quantum reflection of H above a Silicon surface



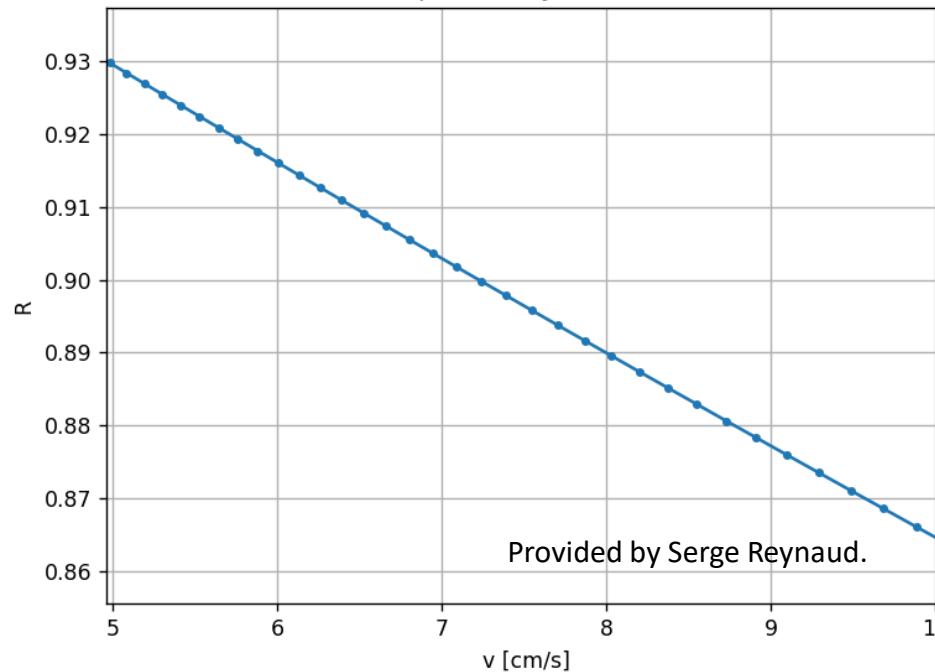
- Trajectories leading to 2nd peak only possible if bounce (reflection) occurs
- Trajectory simulations confirm / predict the shapes of the vertical profiles
- Fitting procedure and extensive analysis in progress

First indication of quantum reflection of H above a Silicon surface

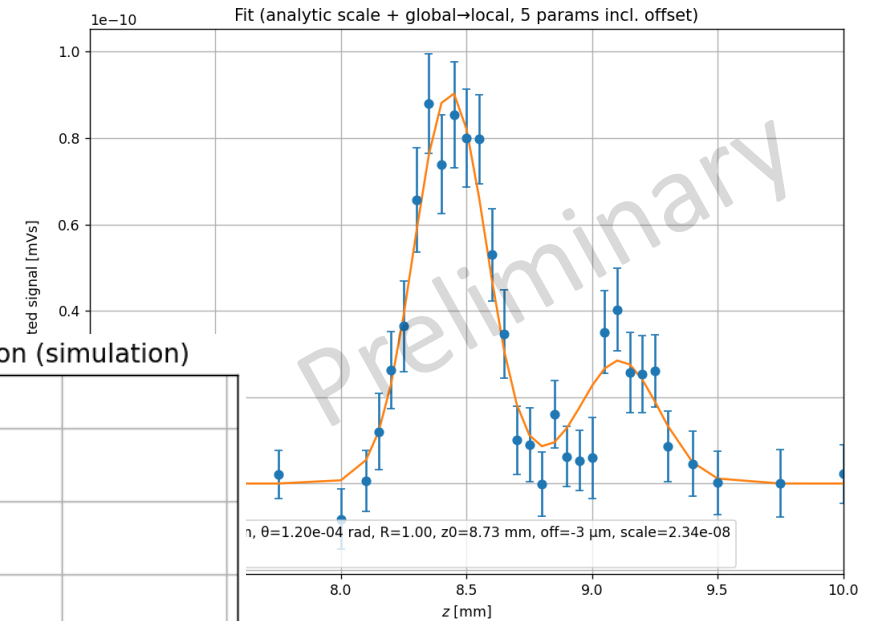
v_{\perp} of atoms when they bounce (simulation)



Quantum Reflection probability above Silicon (simulation)



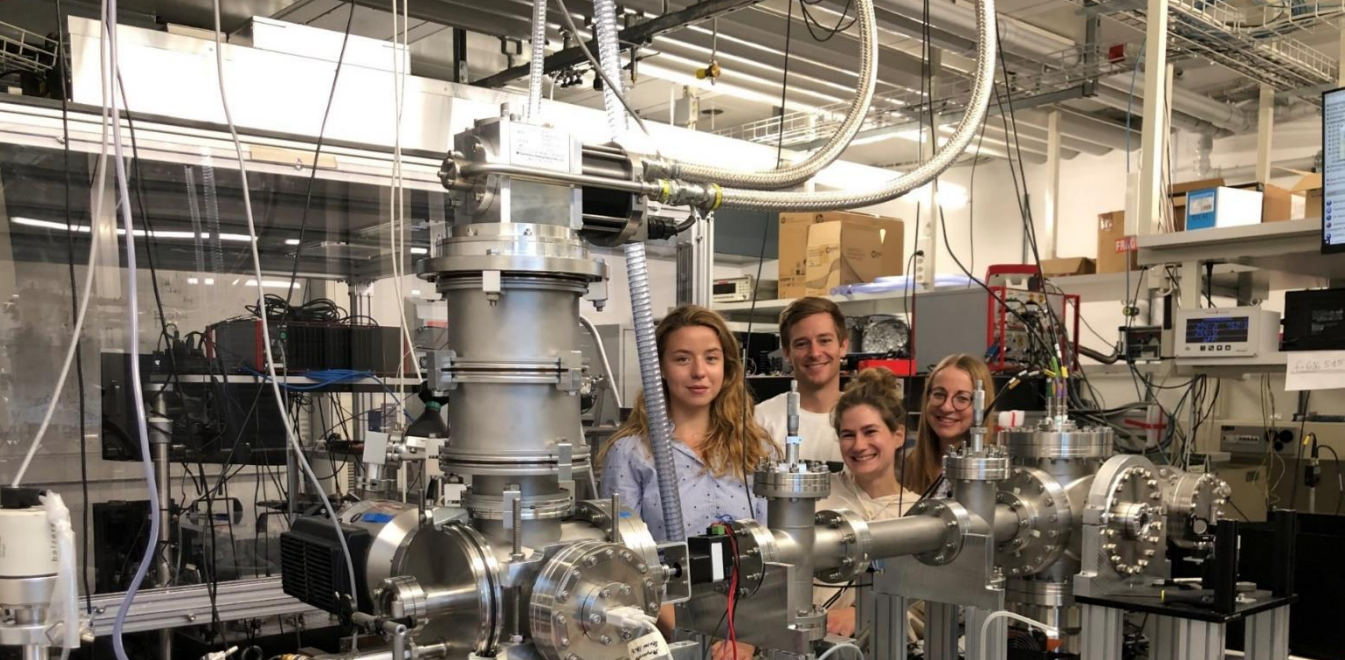
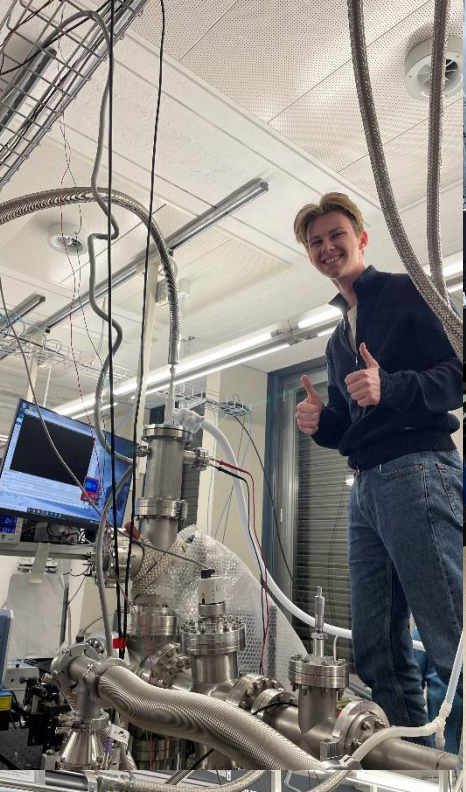
Provided by Serge Reynaud.



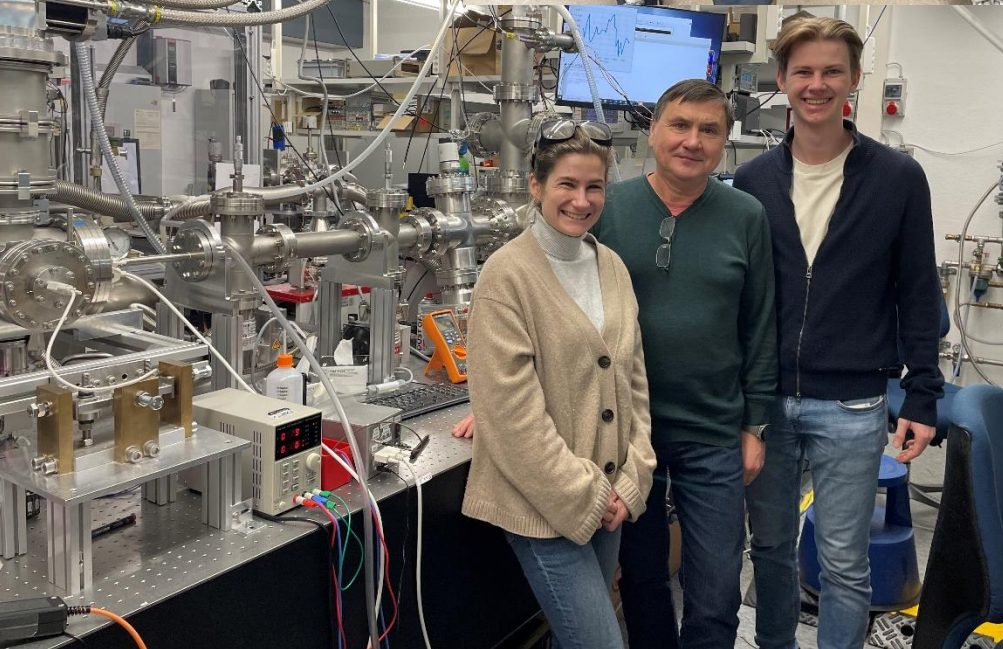
Summary and Outlook

- Requirements for GQS measurement fulfilled
- GQS spectrometer installed
- First measurements with 200 μm separation
- Indication of quantum reflection of H above Si surface
- Outlook:
 - Analysis in progress \rightarrow extraction of QR coefficient
 - Piezo actuators to dynamically change mirror-absorber-separation will be inserted next week
 - Stay tuned 😊

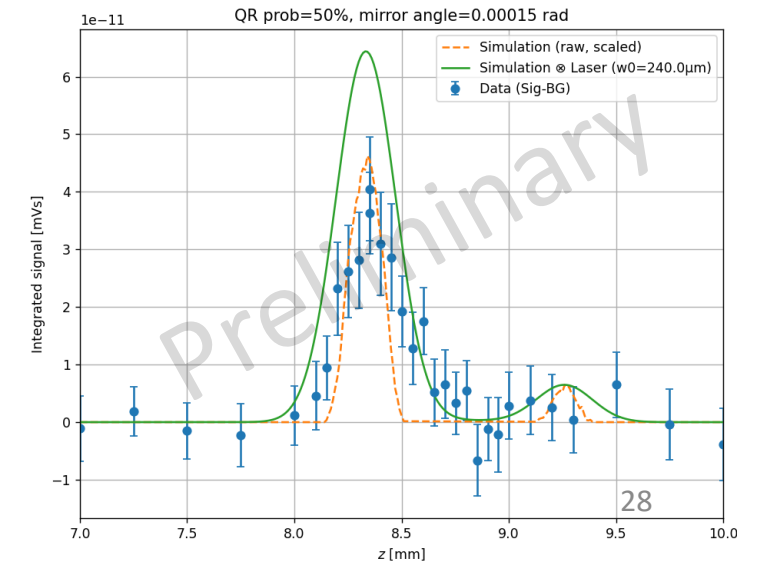
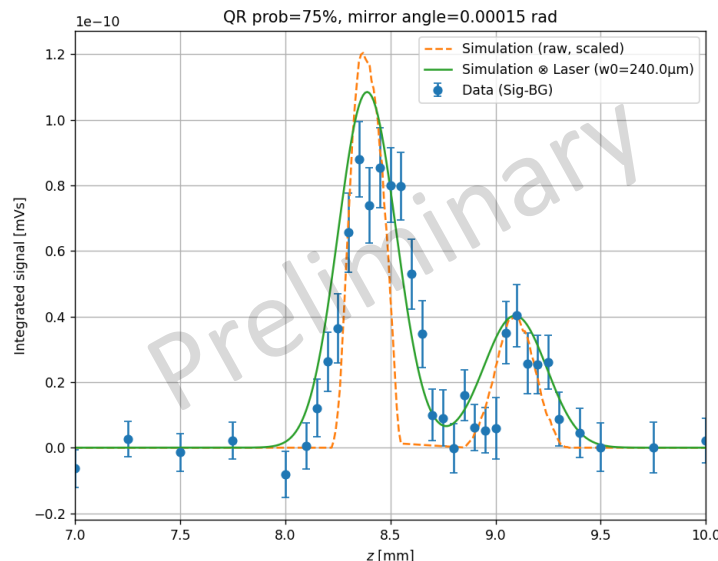
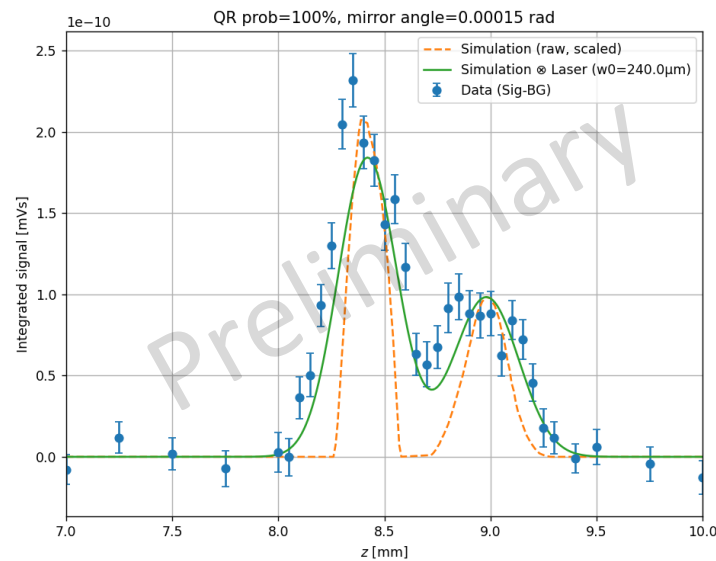
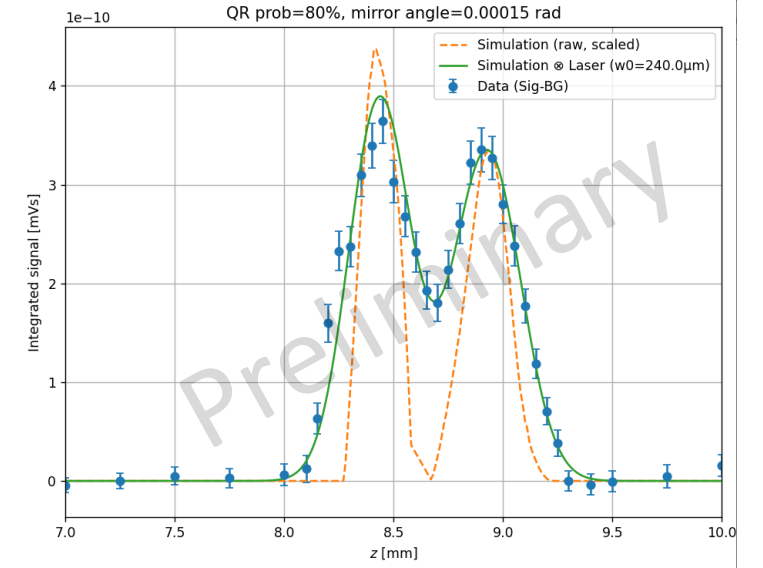
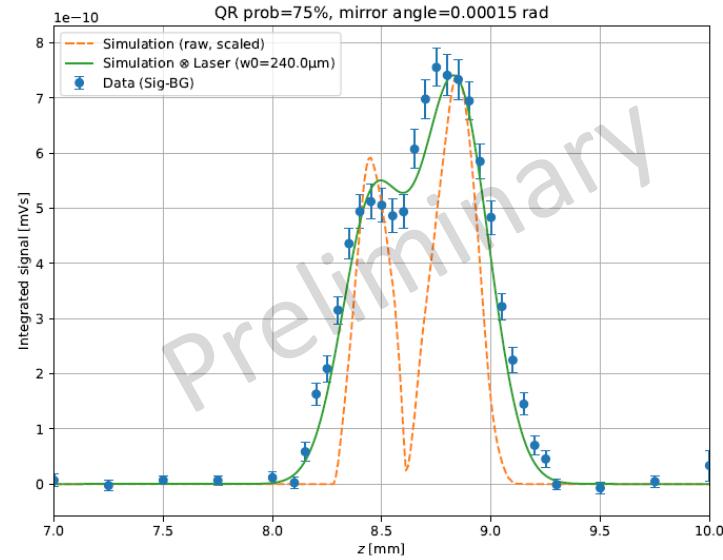
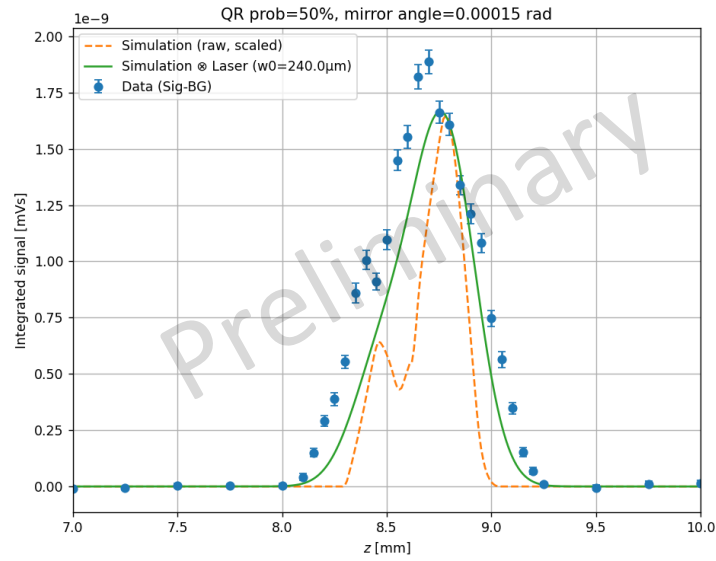




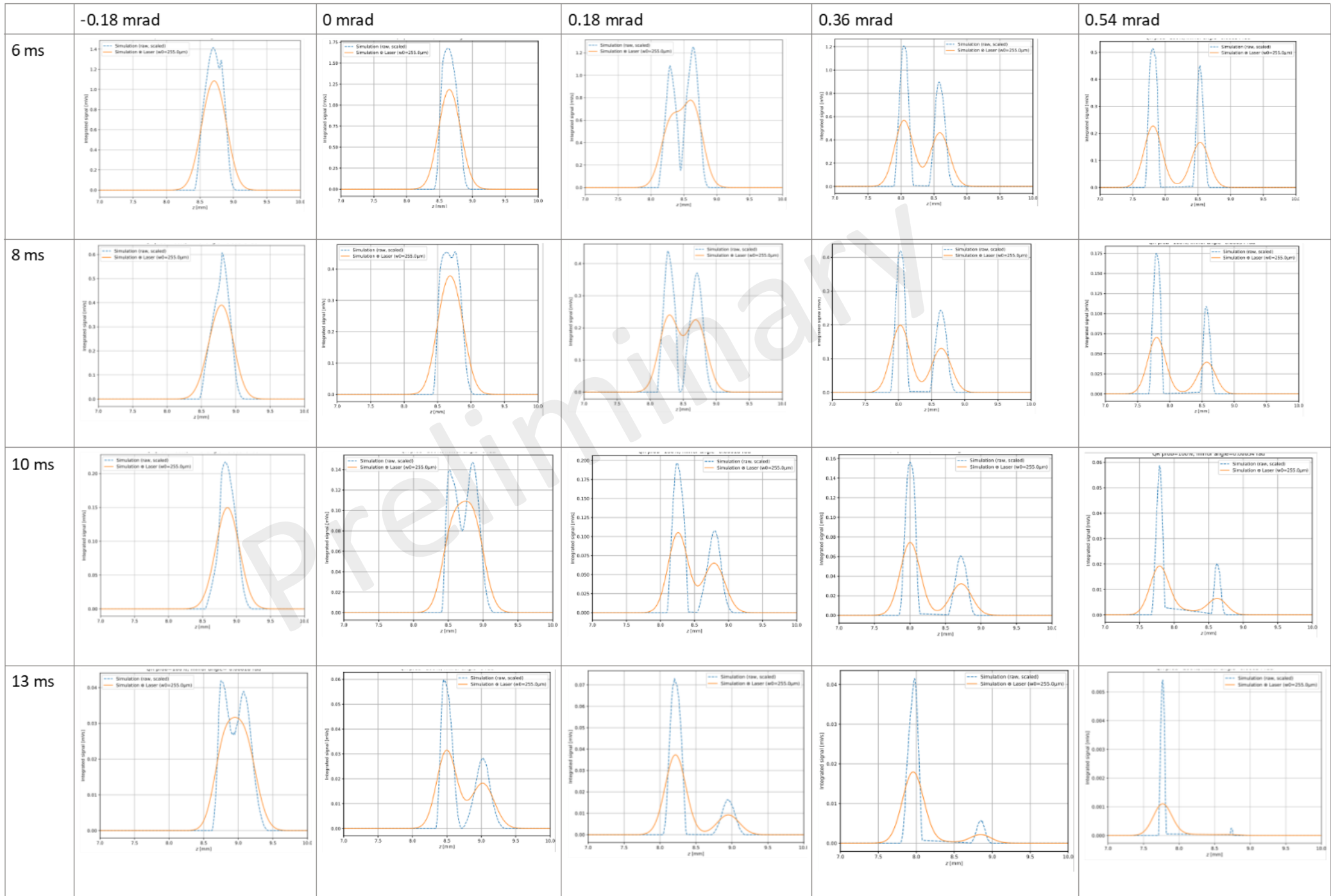
Thank you for your attention!



Simulations



Simulations – velocity x angle



Alternative explanation – magnetic field ?

- UV freq. set to F=1 resonance
 - Triplet – 2x LFS, 1x HFS
 - Magnetic field gradient could generate separated trajectories for different spin states
- UV freq. set to F=0 resonance
 - Singlett – 1x HFS
 - Only HFS trajectory should be detectable

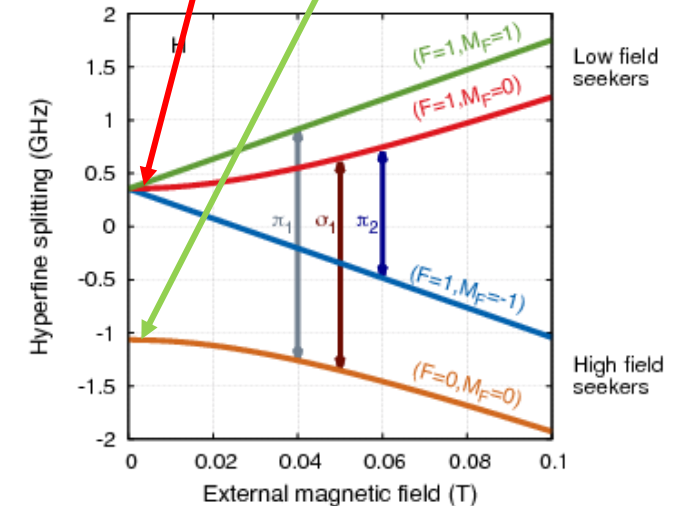
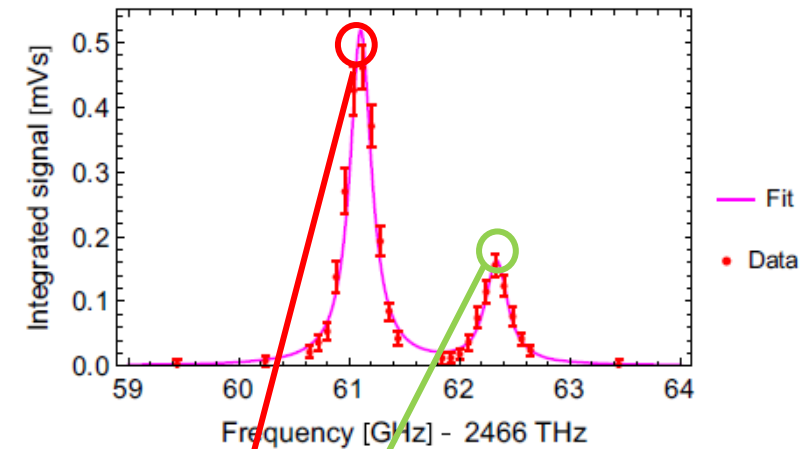
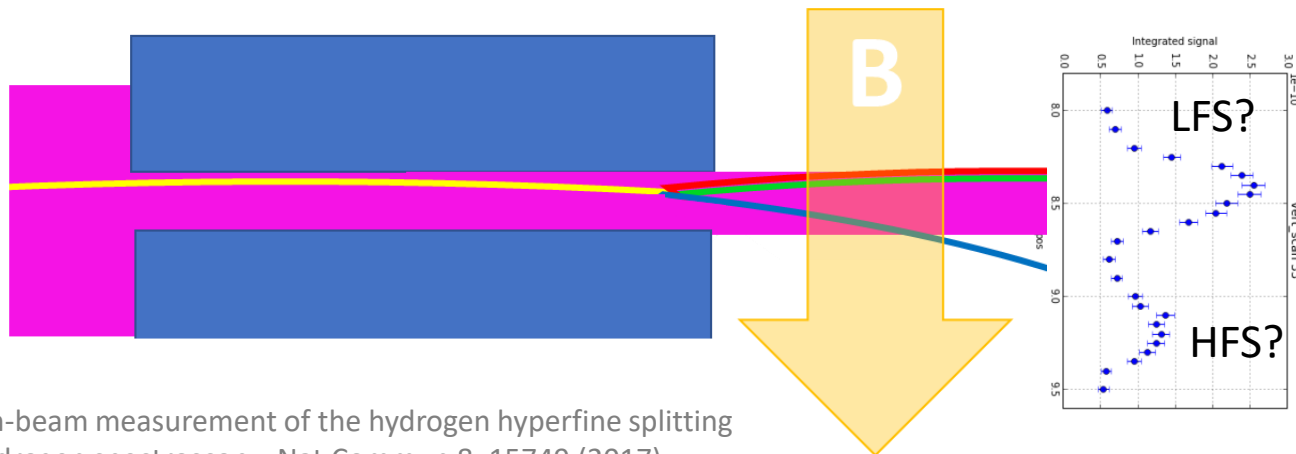
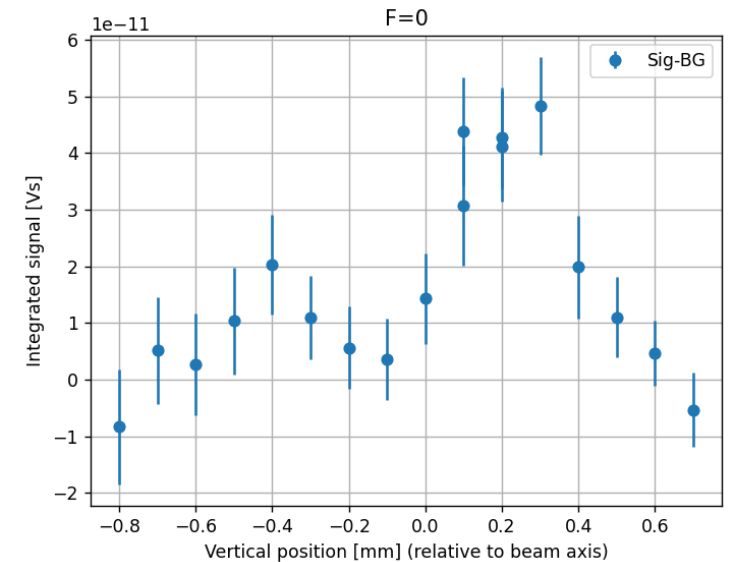
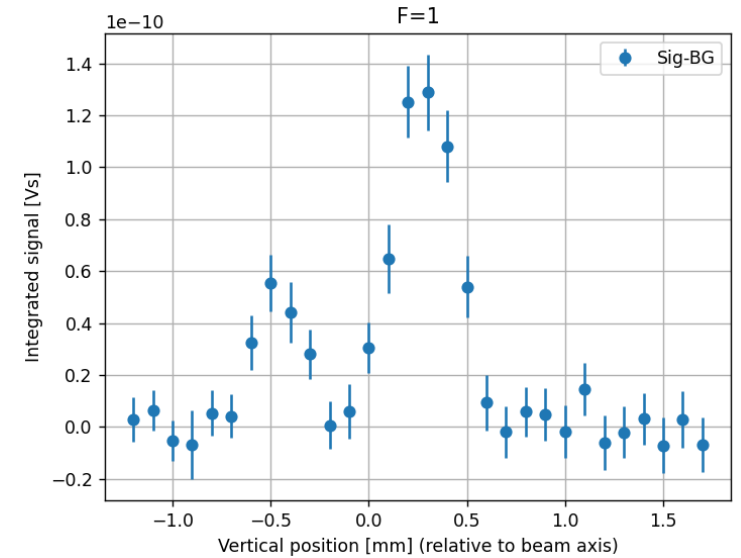
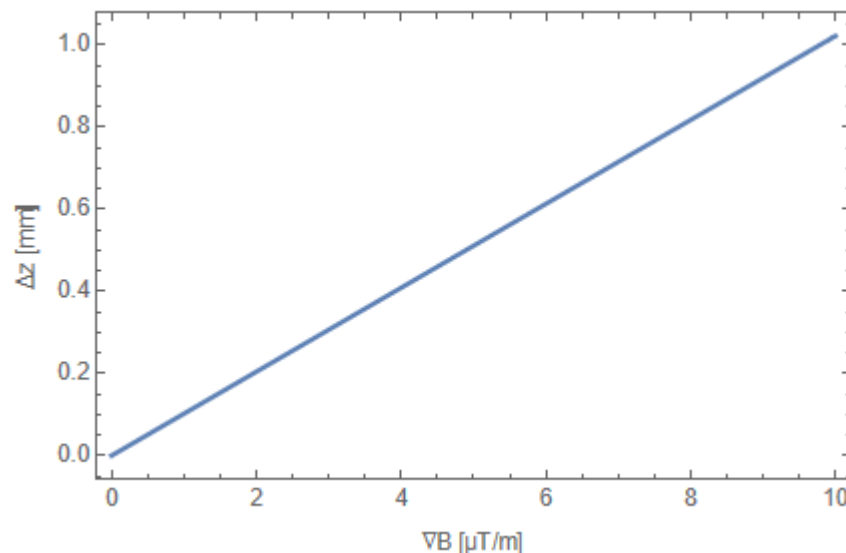


Figure taken from [7].

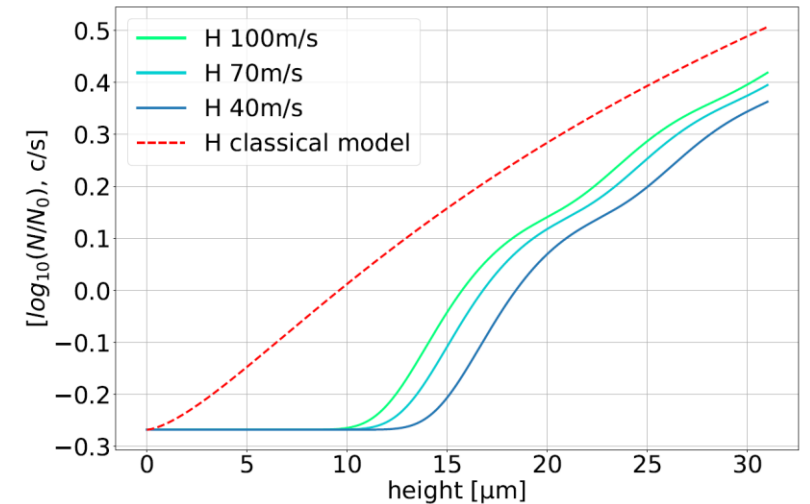
Alternative explanation – magnetic field ?

- Recorded vertical profiles with laser frequency set to F=1 and F=0 resonance
- Both peaks visible for both frequencies
- Magnetic field gradient needed for a 0.6 mm separation of HFS and LFS ~ 5.88 mT/m (for 140 m/s atoms)



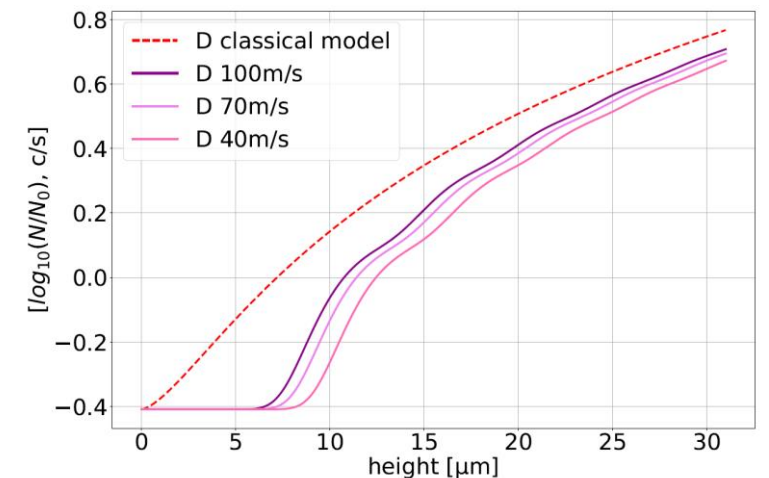
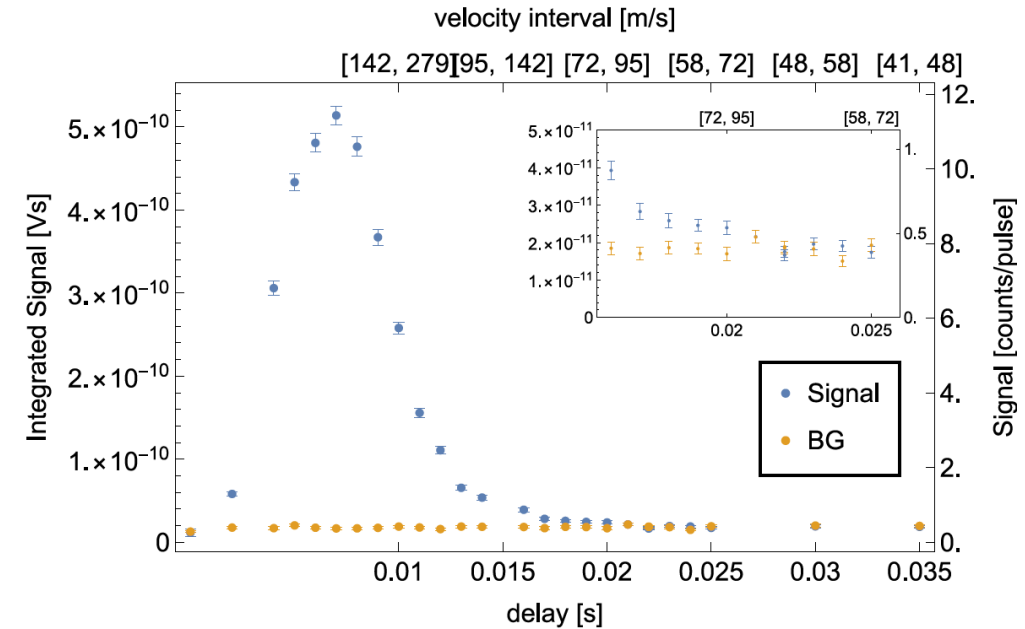
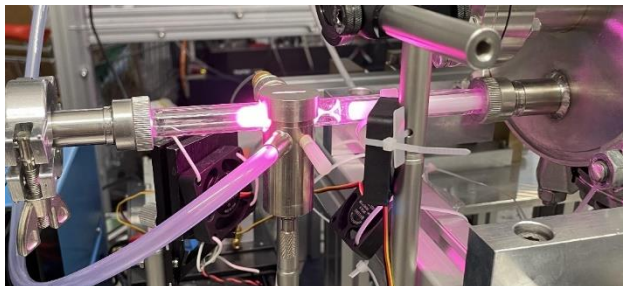
Measurement principle

- Heisenberg's uncertainty: $\Delta t \Delta E \geq \frac{\hbar}{2} \rightarrow \Delta t \gtrsim 0.5 \text{ ms}$
 - $l(\text{mirror}) = 0.3 \text{ m} \rightarrow v \ll 600 \text{ m/s}$
- Simulations of H passing through scatterer* \rightarrow curves depend on:
 - Scatterer „efficiency“ (estimated from neutron data, but higher efficiency expected with new scatterer)
 - Size of the GQS (\leftarrow particle mass, acceleration toward mirror)
 - Interaction time (\leftarrow particle velocity)
- Small slit widths Δz are difficult to reach due to dust particles ($\emptyset \lesssim 8 - 10 \mu\text{m}$, steril environment („cleanroom“) around experimental chamber to avoid dust particles)
- Resolution of first step could be possible for 100 m/s atoms



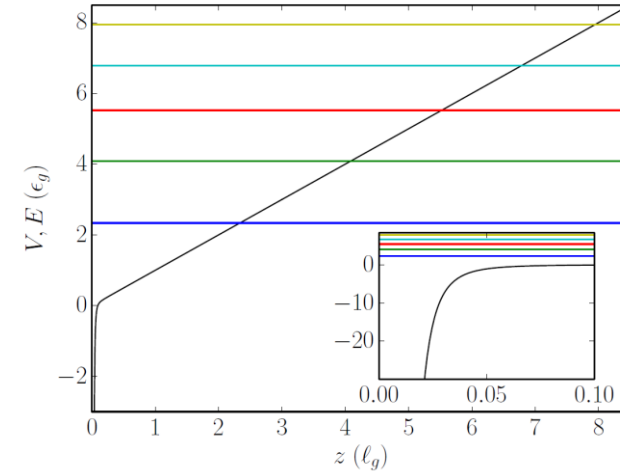
Deuterium measurements

- Delay Measurement with deuterium (D)
 - Slowest resolvable velocity interval at $t = 20$ ms:
 $v \in [72, 95]$ m/s
 - BG reduced by factor ~ 2.65
- But: higher mass \rightarrow smaller GQS \rightarrow need even lower velocities to resolve 1st step

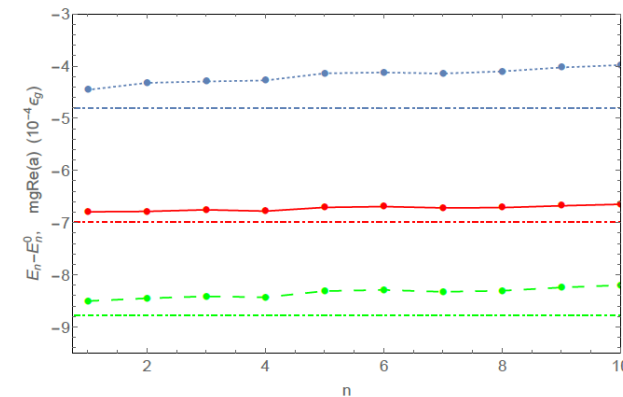


CP – shifts

- CP potential \neq infinitely steep wall
 - $V(z) = mgz + V_{CP}(z)$
 - V_{CP} has a range of $l_{CP} \approx 27.5\text{nm} (\ll l_g \approx 6 \mu\text{m})$
- Calculations for \bar{H} [3]
- Scattering length approximation
 - Decoupling the effects of Gravity and the CP-interactions
 - $E_n = E_n^0 + mga \dots$ Energies are shifted by mga , resulting from the complex phase shift experienced by the atom upon reflection on the CP tail
 - Shifts $\sim 10^{-4} \epsilon_g$ ($\epsilon_g \approx 0.602 \text{ peV}$)
 - Max. relative error of approximation $\sim 10^{-5}$



$V(z) = mgz + V_{CP}(z)$ (black curve) above a silica bulk. Horizontal lines correspond to energies of an ideal quantum bouncer. Taken from [6].



Energy shifts for antihydrogen interacting with a perfect mirror (blue), a silicon bulk (green) or a silica bulk (red), in units of $10^{-4} \epsilon_g$. The shift corresponding to the real part of mga is represented by the horizontal lines. Taken from [6].

Ionization Efficiency

- Simulation of ionization efficiency by solving optical Bloch equations
- Transition matrix element for 2 photon

$$\text{transition } \beta = 3.68111 \times 10^{-5} \frac{\text{Hz m}^2}{\text{W}}$$

- Beam waist ≈ 0.13 mm, Pulse Energy

≈ 500 μJ , Pulse duration ≈ 10 ns \rightarrow

$$\varepsilon_{ion} \approx 99.36\%$$

