XENON1T excess in local Z_2 DM models with light dark sector









Based on arXiv: 2006.16876 (To appear in PLB) Seungwon Baek (Korea U.), JKK, P. Ko (KIAS)

> KEK-PH online workshop 2020, 10, 13

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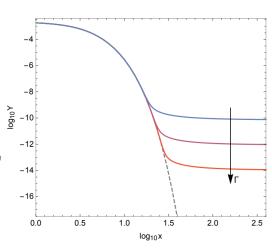
- Thermal WIMP dark matter
- XENON1T excess
- Exothermic dark matter models
 - Local Z_2 scalar DM model
 - Local Z_2 fermion DM model
- Conclusions

Thermal WIMP dark matter

- If the interaction between DM and SM is large enough
 - Thermal creation & destruction of DMs are efficient
 - DM was in thermal equilibrium
- Standard calculation for WIMP DM relic density
 - The Boltzmann equation

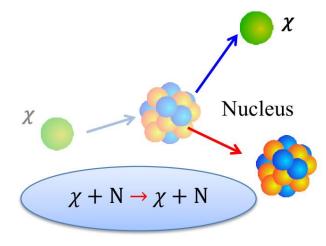
$$\frac{dn_{\chi}}{dt} + 3Hn_{\chi} = -\langle \sigma v \rangle \left(n_{\chi}^2 - n_{\text{eq}}^2 \right)$$

- Relic density of WIMP DM:
 - $0.1 pb/\langle \sigma v \rangle \sim 0.12$
 - Interaction rate become effective, its relic abundance decreases

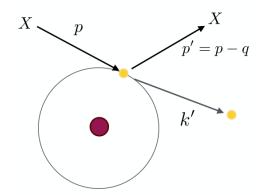


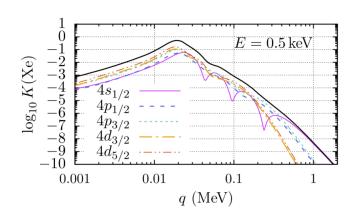
DM direct detection

- Try to observe recoil energy coming from DM scattering process
- Nuclear Recoil (NR)
 - 1~100 keV



- Electronic Recoil (ER)
 - Ionization





XENON1T

- PRL 121, 2018 XENON1T utilizes a liquid xenon time projection chamber

 - The experiment detects scintillation (S1) and ionization (S2) produced when particles interact in the liquid xenon volume
- The energy region of interest
 - [1.4, 10.6] keV_{ee}
 - [4.9, 40.9] ke*V_{nr}*

$2\overline{016-2018}$

2 ton - 1m drift $\sigma \sim 10^{-47} cm^2$



- Low background (<100events/tonne/year/ke V_{ee})
- Low energy threshold ($\sim 1 \text{ke} V_{\rho\rho}$)
- Large exposure (~1tonne*year)



XENON1T excess

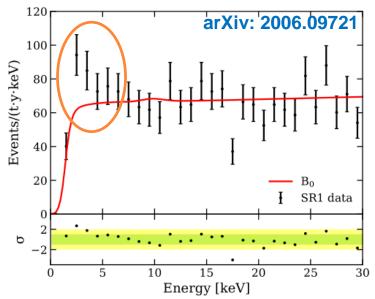
- Excess between 1 7keV
 - Expectation: 232±15
 - Observation: 285
 - Deviated from 3.5σ



- Long half life (12.3 years)
- Abundant in atmospheric & cosmogenically produced in xenon

Solar axions

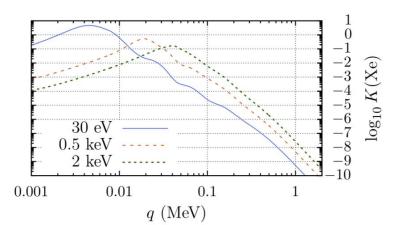
- Produced in the Sun
- Favored over background @ 3.5σ
- Neutrino magnetic dipole moment / NSI
 - Favored 3.2 σ

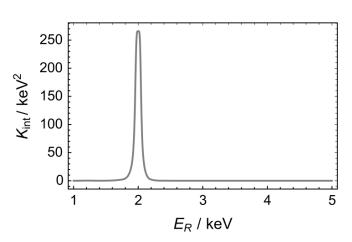


XENON1T excess from XDM

Inelastic down-scattering off an electron

$$\frac{d\sigma v}{dE_R} = \frac{\sigma_e}{2m_e v} \int_{q_-}^{q_+} a_0^2 q dq K(E_R, q) \qquad \longrightarrow \qquad \frac{dR}{dE_R} = n_T n_R \frac{d\sigma v}{dE_R}$$





- The enhancement is determined by
 - $E_R \sim \delta = m_{XDM} m_{DM}$
- Inelastic exothermic DM scattering
 - $XDM + e_{atomic} \rightarrow DM + e_{free}$ with a kinetic mixing

K. Kannike et al, K. Harigaya et al, H.M. Lee,

J. Bramante et al.

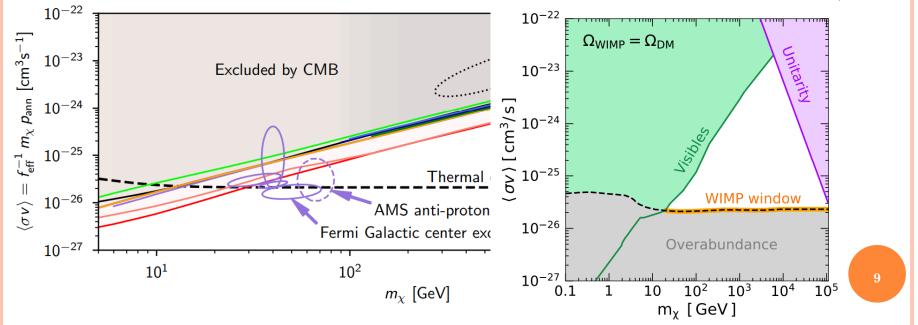
Exothermic DM models

- Exothermic DM models
 - The mass difference between DM & XDM is often introduced by hand in terms of dim-2 (3) operators
 - Local gauge symmetry is broken explicitly & softly
 - Introducing dark photon Z' would be theoretically inconsistent
- \circ We explore local Z_2 scalar & fermion DM models with dark Higgs mechanism
- DM thermal relic density and the XENON1T electron recoil excess could be simultaneously accommodated if dark Higgs boson is light enough

Exothermic DM models

- To evade the direct detection bound from NR
 - sub-GeV DM
- CMB bound excludes the thermal DM freeze-out determined by s-wave annihilation $\langle \sigma v \rangle \sim 1 + b v^2$
 - DM annihilation should be mainly in p-wave

Planck 2018, R. K. Leane et al, PRD 2018



Local Z_2 scalar DM model

O Dark sector has a gauged $U(1)_X$ symmetry

$$\mathcal{L} = \mathcal{L}_{SM} - \frac{1}{4} \hat{X}_{\mu\nu} \hat{X}^{\mu\nu} - \frac{1}{2} \sin \epsilon \hat{X}_{\mu\nu} \hat{B}^{\mu\nu} + D^{\mu} \phi^{\dagger} D_{\mu} \phi + D^{\mu} X^{\dagger} D_{\mu} X - m_X^2 X^{\dagger} X + m_{\phi}^2 \phi^{\dagger} \phi$$

$$-\lambda_{\phi} \left(\phi^{\dagger} \phi\right)^2 - \lambda_X \left(X^{\dagger} X\right)^2 - \lambda_{\phi X} X^{\dagger} X \phi^{\dagger} \phi - \lambda_{\phi H} \phi^{\dagger} \phi H^{\dagger} H - \lambda_{HX} X^{\dagger} X H^{\dagger} H$$

$$-\mu \left(X^2 \phi^{\dagger} + H.c.\right),$$

$$\mathbf{Q}_{X} \quad \mathbf{1} \quad \mathbf{2}$$

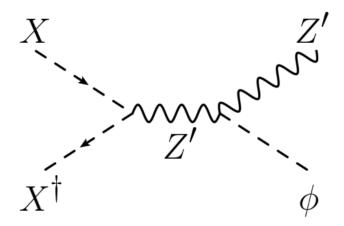
- Spontaneously broken down to discrete Z_2 , X becomes the DM candidate

 K. Babu et al, PRD 1998
- $X = \frac{1}{\sqrt{2}}(X_R + iX_I)$: Complex scalar \rightarrow two real scalars

$$\mathcal{L} \supset g_X Z'^{\mu} \left(X_R \partial_{\mu} X_I - X_I \partial_{\mu} X_R \right) - \epsilon e c_W Z'_{\mu} \bar{e} \gamma^{\mu} e - \frac{\mu}{\sqrt{2}} \phi \left(X_R^2 - X_I^2 \right)$$

Thermal relic abundance

- \circ Local Z_2 scalar DM
 - Suppress the $\chi \chi^\dagger \to Z' Z'$ when $m_{DM} < m_{Z'}$
 - Make $XX^\dagger \to H_2H_2$ subdominant
- \circ Mass spectrum: $m_{DM} < m_{Z'} \ \& \ m_{Z'} + m_{\phi} < 2m_{DM}$
- Main annihilation channel for the relic density



Local Z_2 fermion DM model

Dark sector has a gauged $U(1)_X$ symmetry

$$\mathcal{L} = -\frac{1}{4}\hat{X}^{\mu\nu}\hat{X}_{\mu\nu} - \frac{1}{2}\sin\epsilon\hat{X}_{\mu\nu}B^{\mu\nu} + \overline{\chi}\left(i\cancel{D} - m_{\chi}\right)\chi + D_{\mu}\phi^{\dagger}D^{\mu}\phi$$
$$- \mu^{2}\phi^{\dagger}\phi - \lambda_{\phi}|\phi|^{4} - \frac{1}{\sqrt{2}}\left(y\phi^{\dagger}\overline{\chi^{C}}\chi + \text{h.c.}\right) - \lambda_{\phi H}\phi^{\dagger}\phi H^{\dagger}H$$

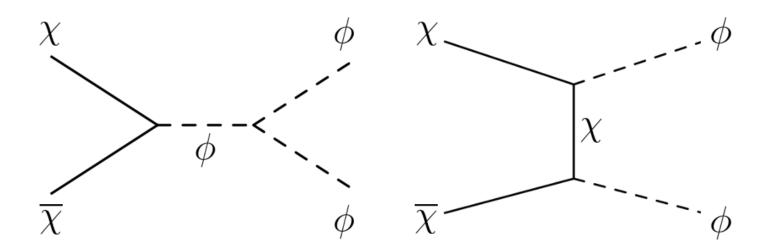
- Φ breaks the dark $U(1)_X$ symmetry into a dark Z_2 symmetry
- Dirac field is split into two Majorana fields

$$\chi = \frac{1}{\sqrt{2}}(\chi_R + i\chi_I), \quad \chi^c = \frac{1}{\sqrt{2}}(\chi_R - i\chi_I)$$

$$\mathcal{L} = \frac{1}{2} \sum_{i=R,I} \overline{\chi_i} \left(i \partial \!\!\!/ - m_i \right) \chi_i - \underline{i} \frac{g_X}{2} (Z'_\mu + \epsilon s_W Z_\mu) \left(\overline{\chi_R} \gamma^\mu \chi_I - \overline{\chi_I} \gamma^\mu \chi_R \right) - \frac{1}{2} y h_\phi \left(\overline{\chi_R} \chi_R - \overline{\chi_I} \chi_I \right),$$

Thermal relic abundance

- Fermion Z₂ DM
 - To evade the CMB constraint we suppress the s-wave annihilation by $m_{DM} < m_{Z'}$ & $2m_{DM} < m_{Z'} + m_{\phi}$
- Main annihilation channel for the relic density



XDM decay mode

- Due to kinetic mixing between Z' and B,
 - XDM decays mainly via the SM Z-mediating $\chi_R o \chi_I
 u \overline{
 u}$

$$\mathcal{L} \supset -\frac{i}{2} \epsilon s_W g_X Z_{\mu} (\overline{\chi}_R \gamma^{\mu} \chi_I - \overline{\chi}_I \gamma^{\mu} \chi_R) - \frac{1}{2} g_Z Z_{\mu} \overline{\nu}_L \gamma^{\mu} \nu_L$$

$$\Gamma \simeq \frac{\epsilon^2 \alpha_X s_W^2}{5\sqrt{2}\pi^2} \frac{G_F \delta^5}{m_Z^2} \simeq 1.9 \times 10^{-49} \,\text{GeV} \left(\frac{\epsilon}{10^{-4}}\right)^2 \left(\frac{\alpha_X}{0.078}\right) \left(\frac{\delta}{2 \,\text{keV}}\right)^5.$$

- The lifetime of χ_R is much longer than the age of the Universe
 - Guarantee χ_R is as good a DM as χ_I
 - Equal number density $\rightarrow n_R = n_I$

Cosmological bound

Constraint from BBN

S. Matsumoto et al, JHEP 2019

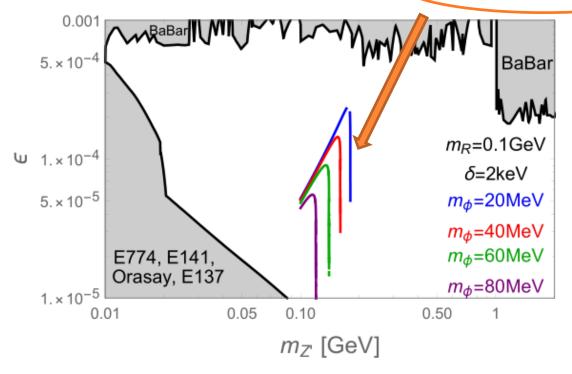
- $\Gamma(\phi \to \bar{\ell}\ell) \approx (1.1 \times 10^{16} \text{sec}^{-1}) \alpha_H^2 \left(m_\phi / 1 \text{GeV} \right)$
- $\Gamma(Z' \to \bar{\ell}\ell) \approx 1.87 \times 10^{-11} \text{GeV} (\epsilon/10^{-4})^2 (m_{Z'}/1 \text{GeV})^2$
- The light mediator Z' & dark Higgs decay before 1sec

Constraint from N_{eff} @ T_{CMB}

- If light dark Higgs & Z' masses are lighter than $T_{dec}^{\nu} \sim 1 \text{MeV}$
- The light dark Higgs & Z' mainly decays into e^{\pm} or γ
- Light particles make the difference between T_{γ} & T_{ν} larger than the one given by the standard cosmology by imparting its entropy only to $\gamma \rightarrow \Delta N_{eff} \neq 0$
- Avoid this problem: $m_{\Phi}, m_{Z'} > 1 \text{MeV}$

XENON1T + Relic density

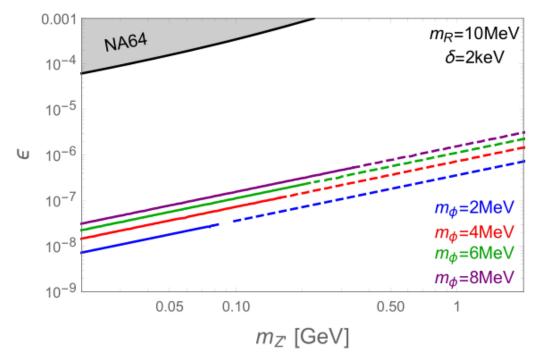
o Local Z_2 scalar DM: $m_{DM} < m_Z$, & m_Z , $+ m_{\phi} < 2 m_{DM}$



- Gray areas are excluded by various experiments
 - Assuming $Z' \rightarrow \chi_R \chi_I$ is kinematically forbidden

XENON1T + Relic density

o Local Z_2 fermion DM: $m_{\phi} < m_{DM} < m_{Z}$, & $2m_{DM} < m_{Z}$, $+ m_{\phi}$



- Gray region: ruled out by NA64
 - assuming $Z' \rightarrow \chi_R \chi_I$
- \circ Dashed lines: g_X violates perturbativity condition

Conclusions

- We showed that the electron recoil excess reported by XENON1T Collaboration could be accounted for by exothermic DM scattering on atomic electron in Xe, with sub-GeV light DM
- The exothermic scattering in inelastic $Z_2 \, \mathrm{DM}$ models within standard freeze-out scenario can explain the XENON1T excess without modifying early Universe cosmology.
- The existence of dark Higgs is crucial for us to get the desired DM phenomenology to explain the XENON1T excess with the correct thermal relic density in case of both DM models.

Conclusions

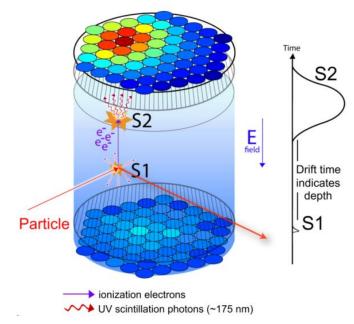
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Thank you.

 The existence of dark Higgs is crucial for us to get the desired DM phenomenology to explain the XENON1T excess with the correct thermal relic density in case of both DM models.

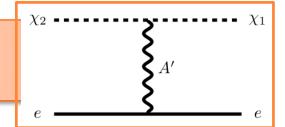
XENON1T

 XENON1T detectors are basically two-phase time PRL 121, 2018 projection chambers



- A prompt S1 signal coming from a scintillation process
- A delayed scintillation signal S2 coming from the ionized and drifted electron

XENON1T excess



scattering cross section

$$\sigma_{e} = \frac{16\pi\epsilon^{2}\alpha_{em}\alpha_{X}c_{W}^{2}m_{e}^{2}}{m_{Z'}^{4}} \longrightarrow \frac{d\sigma v}{dE_{R}} = \frac{\sigma_{e}}{2m_{e}v} \int_{q_{-}}^{q_{+}} a_{0}^{2}qdqK(E_{R}, q)$$

Integration limits

$$q_{\pm} \simeq m_R v \pm \sqrt{m_R^2 v^2 - 2m_R (E_R - \delta)}, \quad \text{for } E_R \ge \delta,$$

 $q_{\pm} \simeq \pm m_R v + \sqrt{m_R^2 v^2 - 2m_R (E_R - \delta)}, \quad \text{for } E_R \le \delta.$

Event rate

$$R \approx 3.69 \times 10^9 \,\epsilon^2 \,g_X^2 \left(\frac{1 \text{GeV}}{m_R}\right) \left(\frac{1 \text{GeV}}{m_{Z'}}\right)^4 / \text{ton/year.}$$

WIMP DM with Z_2 symmetry

- The required longevity of DM can be guaranteed by a symmetry
 - If the symmetry is global,

$$-\mathcal{L}_{\text{decay}} = \begin{cases} \frac{\lambda_{X,\text{non}}}{M_{\text{P}}} X F_{\mu\nu} F^{\mu\nu} & \text{for bosonic DM } X \\ \\ \frac{\lambda_{\psi,\text{non}}}{M_{\text{P}}} \overline{\psi} (\not D \ell_{Li}) H^{\dagger} & \text{for fermionic DM } \psi \end{cases}$$

•
$$\tau_{\rm DM} \gtrsim 10^{26-30} {\rm sec} \Rightarrow \begin{cases} m_{\phi} \lesssim \mathcal{O}(10) {\rm keV} \\ m_{\psi} \lesssim \mathcal{O}(1) {\rm GeV} \end{cases}$$

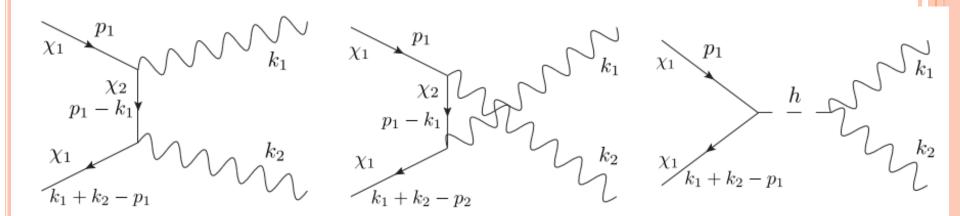
M. Ackermann et al, PRD 86, 2012

- WIMP DM is unlikely to be stable
- It looks natural and may need to consider a gauge symmetry in dark sector, too

Local Z_2 fermion DM model

P. Ko et al, arXiv:2019.04311

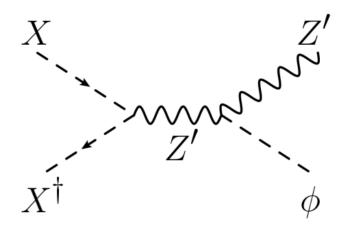
Importance of dark Higgs



- Without dark Higgs, the sum of the <u>first 2 Feynman</u>
 <u>diagrams</u> shows a bad high energy behavior like in the SM without Higgs
- Including the dark Higgs (the <u>last Feynman diagram</u>), this bad behavior is cured, and the theory becomes healthy

Thermal relic abundance

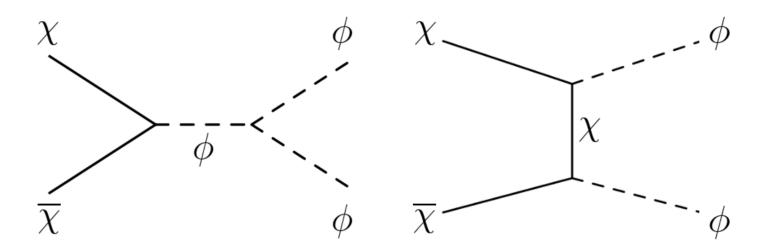
Scalar Z₂ DM model



$$\sigma v \simeq \frac{g_X^4 v^2}{384\pi \, m_X^4 (4m_X^2 - m_{Z'}^2)^2} \left(16m_X^4 + m_{Z'}^4 + m_\phi^4 + 40m_X^2 m_{Z'}^2 - 8m_X^2 m_\phi^2 - 2m_{Z'}^2 m_\phi^2 \right) \times \left[\left\{ 4m_X^2 - (m_{Z'} + m_\phi)^2 \right\} \left\{ 4m_X^2 - (m_{Z'} - m_\phi)^2 \right\} \right]^{1/2} + \mathcal{O}(v^4),$$

Thermal relic abundance

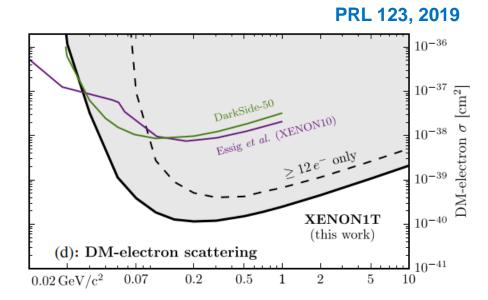
 \circ Fermion Z_2 DM model



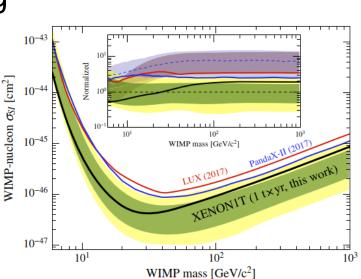
$$\sigma v = \frac{y^2 v^2 \sqrt{m_{\chi}^2 - m_{\phi}^2}}{96\pi m_{\chi}} \left[\frac{27\lambda_{\phi}^2 v_{\phi}^2}{(4m_{\chi}^2 - m_{\phi}^2)^2} + \frac{4y^2 m_{\chi}^2 (9m_{\chi}^4 - 8m_{\chi}^2 m_{\phi}^2 + 2m_{\phi}^4)}{(2m_{\chi}^2 - m_{\phi}^2)^4} \right] + \mathcal{O}(v^4)$$

XENON1T scattering bounds

DM-electron scattering



DM-nucleon scattering



PRL 121, 2018